



Prime Consulting Engineers Pty. Ltd.

Design Report:

3.5m Square Cantilever Umbrella

For



Ref: R-22-174-2

Date: 20/01/2022

Amendment: -

Prepared by: KZ

Checked by: BG

CONTENTS

1	Introduction and Scope:	4
1.1	Project Description	4
1.2	References	4
1.3	Notation	4
2	Design Overview	5
2.1	Geometry Data	5
2.2	Assumptions & Limitations	6
2.3	Exclusions	6
2.4	Design Parameters and Inputs	6
2.4.1	Load Cases	6
2.4.2	Load Combinations	6
3	Specifications	7
3.1	Material Properties	7
3.2	Buckling Constants	7
3.3	Member Sizes & Section Properties	8
3.3.1	Rectangular Section	8
3.3.2	Circular Sections	8
4	Design Loads	9
5	Wind Analysis	9
5.1	Ultimate	9
5.2	Load Diagrams	12
5.2.1	Wind Load Ultimate ($W_{U,min}$)	12
5.2.2	Wind Load Ultimate ($W_{U,max}$)	12
6	Analysis	13
6.1	3D model	13
6.2	Results	14
6.2.1	Maximum deflection (serviceability)	14
6.2.2	Maximum Bending Moment	15
6.2.3	Maximum Shear	16
6.2.4	Maximum Axial Force	17
6.2.5	Maximum Reactions	17
7	Aluminium Design	18
8	Anchorage Design	18
8.1	Bolted Structure	18
8.2	Weighted structure	19
9	Summary and Recommendations	20
10	Appendix A – Detail Drawings	21
11	Appendix B – Section capacity	26
11.1	Checking Members Based on AS1664.1 ALUMINIUM LSD	26
11.1.1	Post	26



11.1.2	Cantilever Beam	30
11.1.3	Brace (typ.1)	34
11.1.4	Brace (typ.2)	39
11.1.5	Middle Beam	43
11.1.6	Corner Beam	47
11.1.7	Centre Pole	52
11.1.8	Summary Forces	56
12	Appendix 'C' – Anchorage Design	57

1 Introduction and Scope:

The report and certification are the sole property of Prime Consulting Engineers Pty. Ltd.

Prime Consulting Engineers have been engaged by Extreme Marquees Pty. Ltd. to carry out a structural analysis of three different sizes of Aluminium Cantilever Umbrellas for wind region A (non-cyclonic). It should be noted that the outcome of our analysis is limited to the selected items as outlined in this report.

This report shall be read in conjunction with the documents listed in the references (Section 1.2)

1.1 Project Description

The report examines the effect of 3s gust wind of **(refer to summary)** positioned for the worst effect on 3.5m square cantilever umbrella structure. The relevant Australian Standards AS1170.0:2002 General principles, AS1170.1:2002 Permanent, imposed and other actions and AS1170.2:2011 Wind actions are used. The design check is in accordance with AS1664.1 Aluminum Structures.

1.2 References

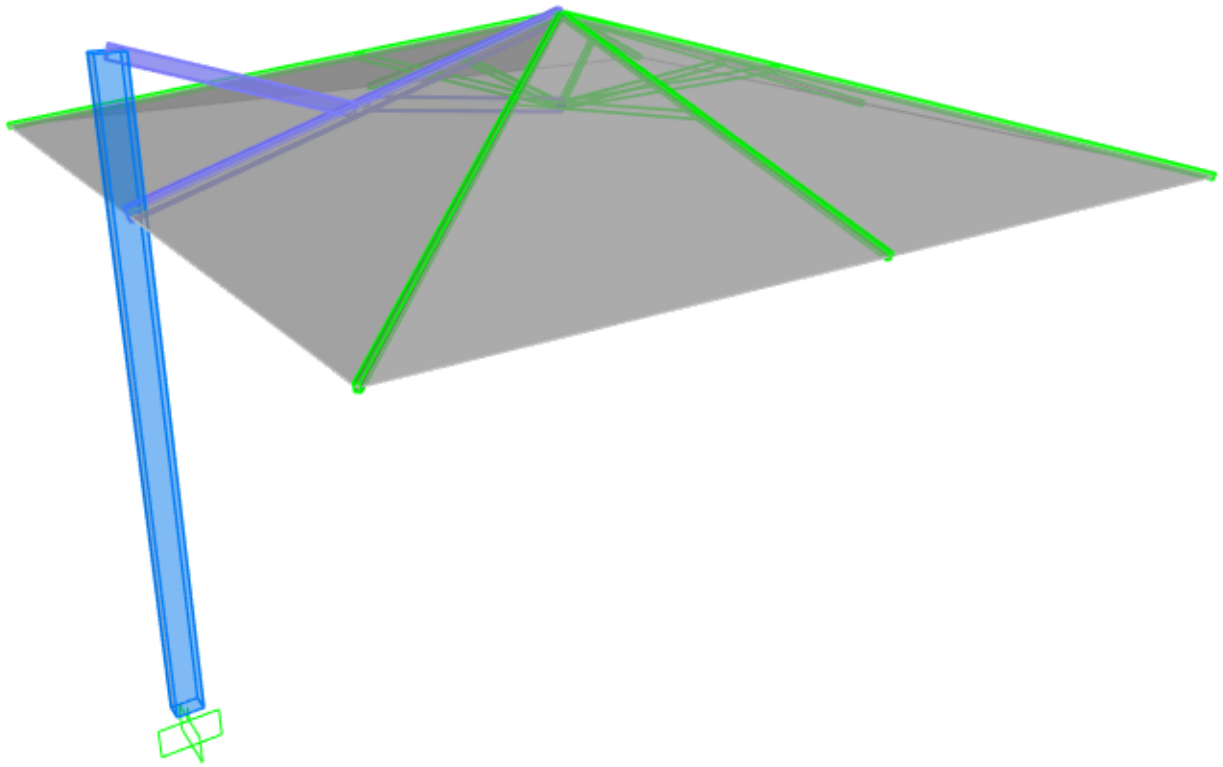
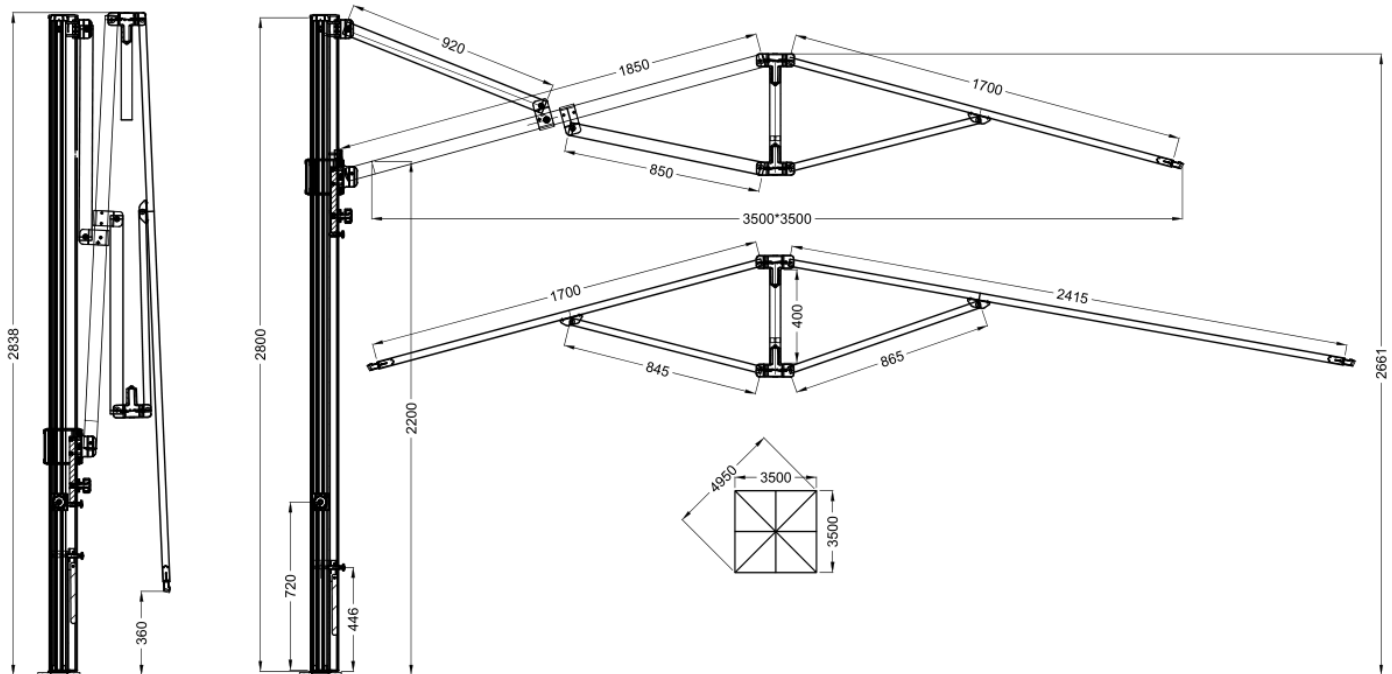
- The documents referred to in this report are as follows:
 - Report of results produced through SAP2000 V23 software & excel spreadsheets.
 - Detail drawing provided by manufacturer (YEEZE). Refer to appendix 'A'.
- The basic standards used in this report are as follows:
 - AS 1170.0:2002 – Structural Design Actions (Part 0: General principles)
 - AS 1170.1:2002 – Structural Design Actions (Part 1: Permanent, imposed, and other actions)
 - AS 1170.2:2011 – Structural Design Actions (Part 2: Wind Actions)
 - AS1664.1 Aluminium Structures.
- Section Properties of Aluminium Section provided by the client. (Refer Appendix 'A'.
- The program(s) used for this analysis are as follows:
 - SAP2000 V23
 - Microsoft Excel

1.3 Notation

<i>AS/NZS</i>	Australian Standard/New Zealand Standard
<i>FEM/FEA</i>	Finite Element Method/Finite Element Analysis
<i>SLS</i>	Serviceability Limit State
<i>ULS</i>	Ultimate Limit State

2 Design Overview

2.1 Geometry Data



Isometric view of structures

2.2 Assumptions & Limitations

- The erected structure is for temporary use only.
- For forecast winds in excess of **(refer to summary)** the umbrella structure should be completely folded
- The structure may only be used in regions with wind classifications no greater than the limits specified in cl. 5 of this report.
- Parameters used for wind calculations:
 - TC 2
 - Wind Region A
- Topographical factors such as erecting the structure on the crest of a hill or on the top of an escarpment may result in a higher wind speed classification. Thus, special considerations should be taken to the topographical location of the installation site.
- Shall the site conditions/wind parameters exceed prescribed design wind actions (refer to cl.8), Prime Consulting Engineers Pty. Ltd. should be informed to determine appropriate wind classifications and amend computations accordingly.

2.3 Exclusions

- Design of fabric
- Wind actions due to tropical or severe tropical cyclonic areas.
- Super imposed loads such as live loads or snow and ice loads.

2.4 Design Parameters and Inputs

2.4.1 Load Cases

- | | | |
|----|-------|----------------------------------|
| 1. | G | Permanent actions (Dead load) |
| 3. | W_u | Ultimate wind action (ULS) |
| 4. | W_s | Serviceability wind action (SLS) |

2.4.2 Load Combinations

Strength (ULS):

- | | | |
|----|--------------|----------------------------|
| 1. | 1.35G | Permanent action only |
| 3. | $0.9G + W_u$ | Permanent and wind actions |
| 4. | $1.2G + W_u$ | Permanent and wind actions |

Serviceability (SLS):

- | | | |
|----|-----------|----------------------|
| 2. | $G + W_s$ | Wind service actions |
|----|-----------|----------------------|

3 Specifications

3.1 Material Properties

Material Properties										
6063-T5	F _{tu}	F _{ty}	F _{cy}	F _{su}	F _{sy}	F _{bu}	F _{by}	E	k _t	k _c
	152	110	110	90	62	317	179	70000	1	1.12

3.2 Buckling Constants

TABLE 3.3(D) BUCKLING CONSTANTS				
Type of member and stress	Intercept, MPa		Slope, MPa	Intersection
Compression in columns and beam flanges	B_c	119.26	D_c 0.49	C_c 99.33
Compression in flat plates	B_p	134.29	D_p 0.59	C_p 93.61
Compression in round tubes under axial end load	B_t	132.00	D_t 3.62	C_t *
Compressive bending stress in rectangular bars	B_{br}	194.52	D_{br} 1.26	C_{br} 103.26
Compressive bending stress in round tubes	B_{tb}	183.09	D_{tb} 9.34	C_{tb} 79.80
Shear stress in flat plates	B_s	75.86	D_s 0.25	C_s 124.54
Ultimate strength of flat plates in compression	<i>k₁</i>	0.35	<i>k₂</i>	2.27
Ultimate strength of flat plates in bending	<i>k₁</i>	0.5	<i>k₂</i>	2.04

* *C_t* shall be determined using a plot of curves of limit state stress based on elastic and inelastic buckling or by trial and error solution

3.3 Member Sizes & Section Properties

3.3.1 Rectangular Section

MEMBER(S)	Section	b	d	t	y _c	A _g	Z _x	Z _y	S _x	S _y	I _x	I _y	J	r _x	r _y
		mm	mm	mm	mm	mm ²	mm ³	mm ³	mm ³	mm ³	mm ⁴	mm ⁴	mm ⁴	mm	mm
Post	120x85x3	85	120	3	60.0	1194.0	41441.7	34291.3	49329.0	38881.5	2486502.0	1457379.5	2775221.2	45.6	34.9
Cantilever Beam	60x35x3.5	35	60	3.5	30.0	616.0	9420.7	6709.7	11837.0	7987.0	282620.3	117420.3	251961.0	21.4	13.8
Brace 1	60x35x3.5	35	60	3.5	30.0	616.0	9420.7	6709.7	11837.0	7987.0	282620.3	117420.3	251961.0	21.4	13.8
Brace 2	30x20x1.5	20	30	1.5	15.0	141.0	1141.1	894.6	1401.8	1049.3	17115.8	8945.8	17744.2	11.0	8.0
Middle Beam	30x20x1.5	20	30	1.5	15.0	141.0	1141.1	894.6	1401.8	1049.3	17115.8	8945.8	17744.2	11.0	8.0
Corner Beam	30x20x1.5	20	30	1.5	15.0	141.0	1141.1	894.6	1401.8	1049.3	17115.8	8945.8	17744.2	11.0	8.0
Brace	100x50x5	50	100	5	50.0	1400.0	34733.3	22466.7	44000.0	26500.0	1736666.7	561666.7	1305401.8	35.2	20.0

3.3.2 Circular Sections

MEMBER(S)	Section	d	t	y _c	A _g	Z _x	Z _y	S _x	S _y	I _x	I _y	J	r _x	r _y
		mm	mm	mm	mm ²	mm ³	mm ³	mm ³	mm ³	mm ⁴	mm ⁴	mm ⁴	mm	mm
Centre Pole	48x1.8	48	1.8	24.0	261.3	2908.7	2908.7	3843.9	3843.9	69809.9	69809.9	139619.8	16.3	16.3

4 Design Loads

Self weight	G	self weight
3s 55km/hr gust	W_u	$0.116 C_{fig} \text{ (kPa)}$
3s 20km/hr gust	W_s	$0.015 C_{fig} \text{ (kPa)}$

5 Wind Analysis

5.1 Ultimate



Project: 4m square Cantilever Umbrella

Job no. 22-174-2

Designer: KZ

Date: 17/01/2022

Amendment: -

Name	Symbol	Value	Unit	Notes	Ref.
Input					
Importance level		2			Table 3.1 - Table 3.2 (AS1170.0)
Annual probability of exceedance		Temporary			Table 3.3
Regional gust wind speed		55.008	Km/hr		
Regional gust wind speed	V_R	15.28	m/s		
Wind Direction Multipliers	M_d	1			Table 3.2 (AS1170.2)
Terrain Category	TC	2			
Terrain Category Multiplier	$M_{Z,Cat}$	0.91			
Shield Multiplier	M_s	1			4.3 (AS1170.2)
Topographic Multiplier	M_t	1			4.4 (AS1170.2)
Site Wind Speed	$V_{Site,\beta}$	13.90	m/s	$V_{Site,\beta} = V_R * M_d * M_{Z,Cat} * M_s, M_t$	
Pitch	α	15	Deg		
Pitch	α	-	rad		

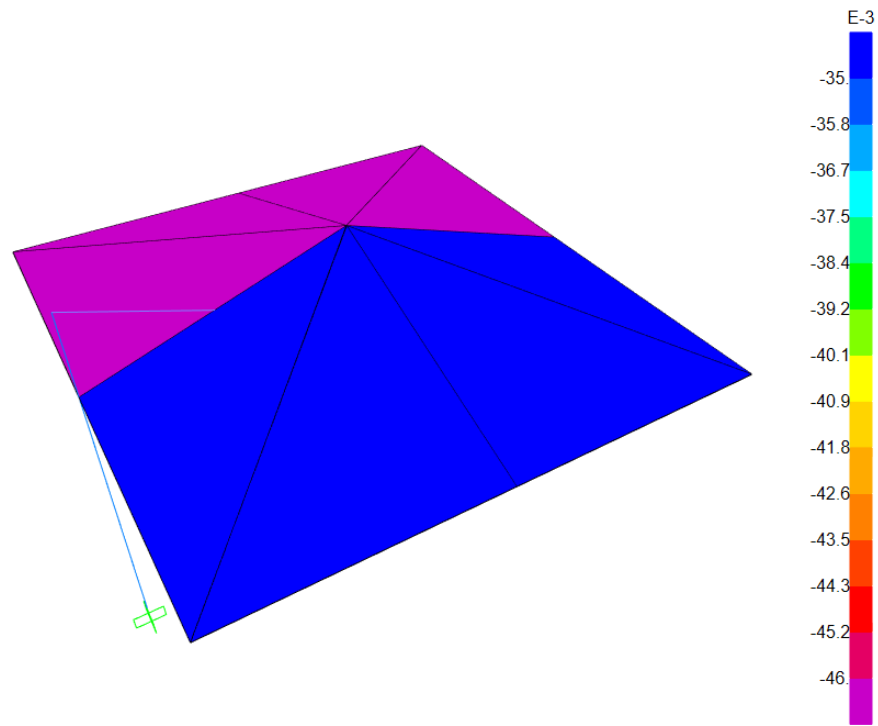
Width	B	4	m		
Length	D	4	m		
Height	Z	2.5	m		
Porosity Ratio	δ	1		ratio of solid area to total area	
Wind Pressure					
ρ_{air}	ρ	1.2	Kg/m ³		
dynamic response factor	C_{dyn}	1			
Wind Pressure	$\rho * C_{fig}$	0.116	Kg/m ²	$\rho = 0.5 \rho_{air} * (V_{des, \beta})^2 * C_{fig} * C_{dyn}$	2.4 (AS1170.2)
WIND DIRECTION 1 ($\theta=0$)					
External Pressure					
1. Free Roof				$\alpha = 0^\circ$	D7
Area Reduction Factor	K_a	1			
local pressure factor	K_l	1			
porous cladding reduction factor	K_p	1.00			
External Pressure Coefficient MIN	$C_{P,w}$	-0.3			
External Pressure Coefficient MAX	$C_{P,w}$	0.4			
External Pressure Coefficient MIN	$C_{P,l}$	-0.4			
External Pressure Coefficient MAX	$C_{P,l}$	0			
aerodynamic shape factor MIN	$C_{fig,w}$	-0.30			
aerodynamic shape factor MAX	$C_{fig,w}$	0.40			
aerodynamic shape factor MIN	$C_{fig,l}$	-0.40			
aerodynamic shape factor MAX	$C_{fig,l}$	0.00			
Pressure Windward MIN	P	-0.03	kPa		
Pressure Windward MAX	P	0.05	kPa		
Pressure Leeward MIN	P	-0.05	kPa		
Pressure Leeward MAX	P	0.00	kPa		
WIND DIRECTION 2 ($\theta=90$)					
External Pressure					
4. Free Roof				$\alpha = 180^\circ$	D7

Area Reduction Factor	K_a	1		
local pressure factor	K_l	1		
porous cladding reduction factor	K_p	1.00		
External Pressure Coefficient MIN	$C_{P,w}$	-0.3		
External Pressure Coefficient MAX	$C_{P,w}$	0.4		
External Pressure Coefficient MIN	$C_{P,l}$	-0.4		
External Pressure Coefficient MAX	$C_{P,l}$	0		
aerodynamic shape factor MIN	$C_{fig,w}$	-0.30		
aerodynamic shape factor MAX	$C_{fig,w}$	0.40		
aerodynamic shape factor MIN	$C_{fig,l}$	-0.40		
aerodynamic shape factor MAX	$C_{fig,l}$	0.00		
Pressure MIN (Windward Side)	P	-0.03	kPa	
Pressure MAX (Windward Side)	P	0.05	kPa	
Pressure MIN (Leeward Side)	P	-0.05	kPa	
Pressure MAX (Leeward Side)	P	0.00	kPa	

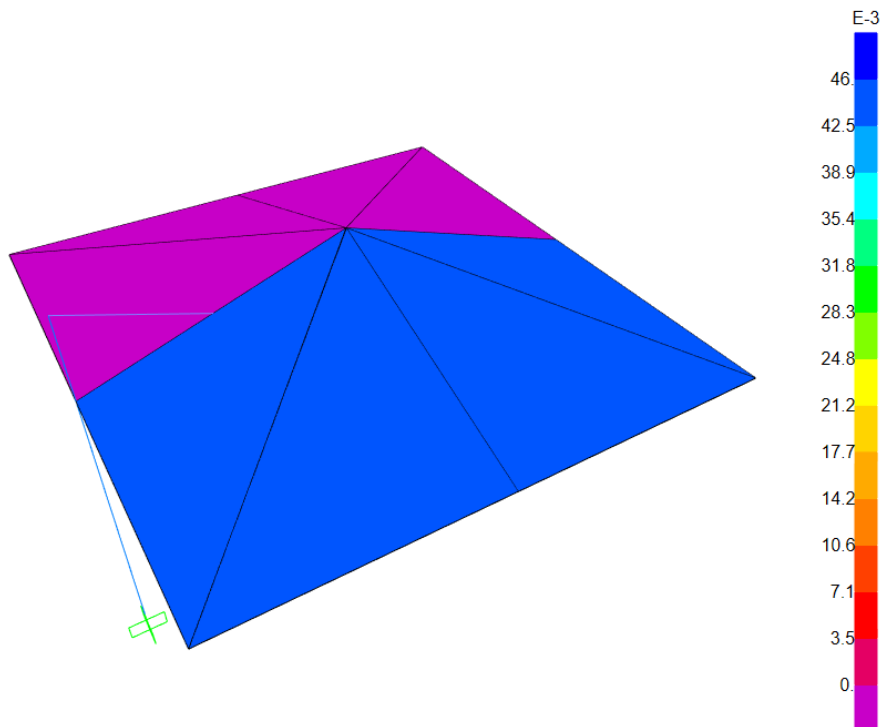
WIND EXTERNAL PRESSURE	Direction1		Direction2	
	Min (Kpa)	Max (Kpa)	Min (Kpa)	Max (Kpa)
Windward	-0.035	0.046	-0.035	0.046
Leeward	-0.046	0.000	-0.046	0.000

5.2 Load Diagrams

5.2.1 Wind Load Ultimate ($W_{U,min}$)

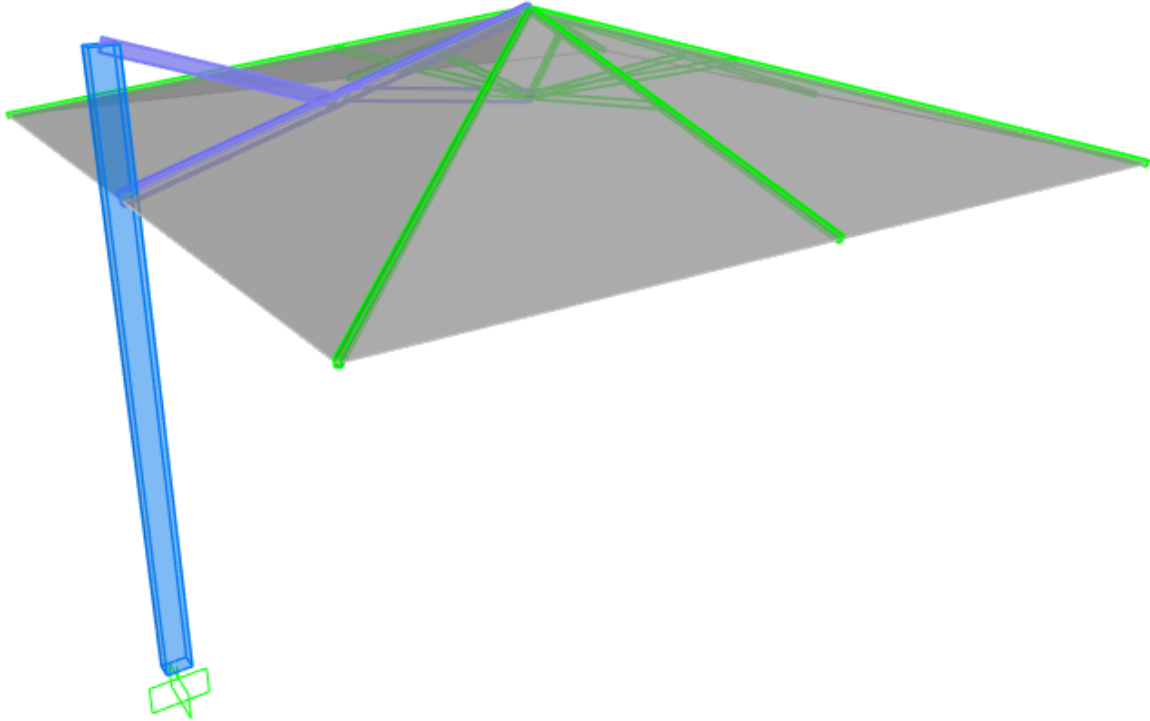


5.2.2 Wind Load Ultimate ($W_{U,max}$)



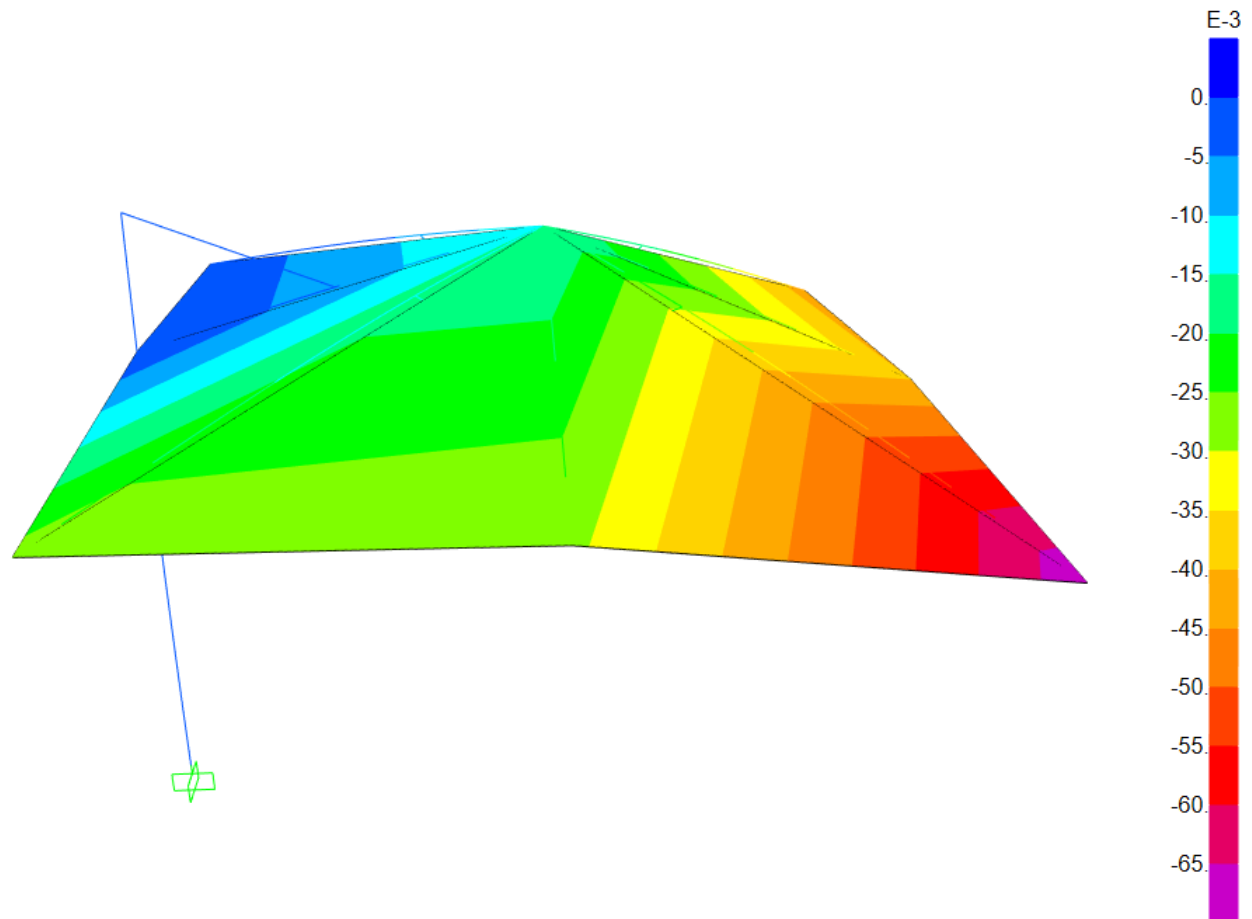
6 Analysis

6.1 3D model

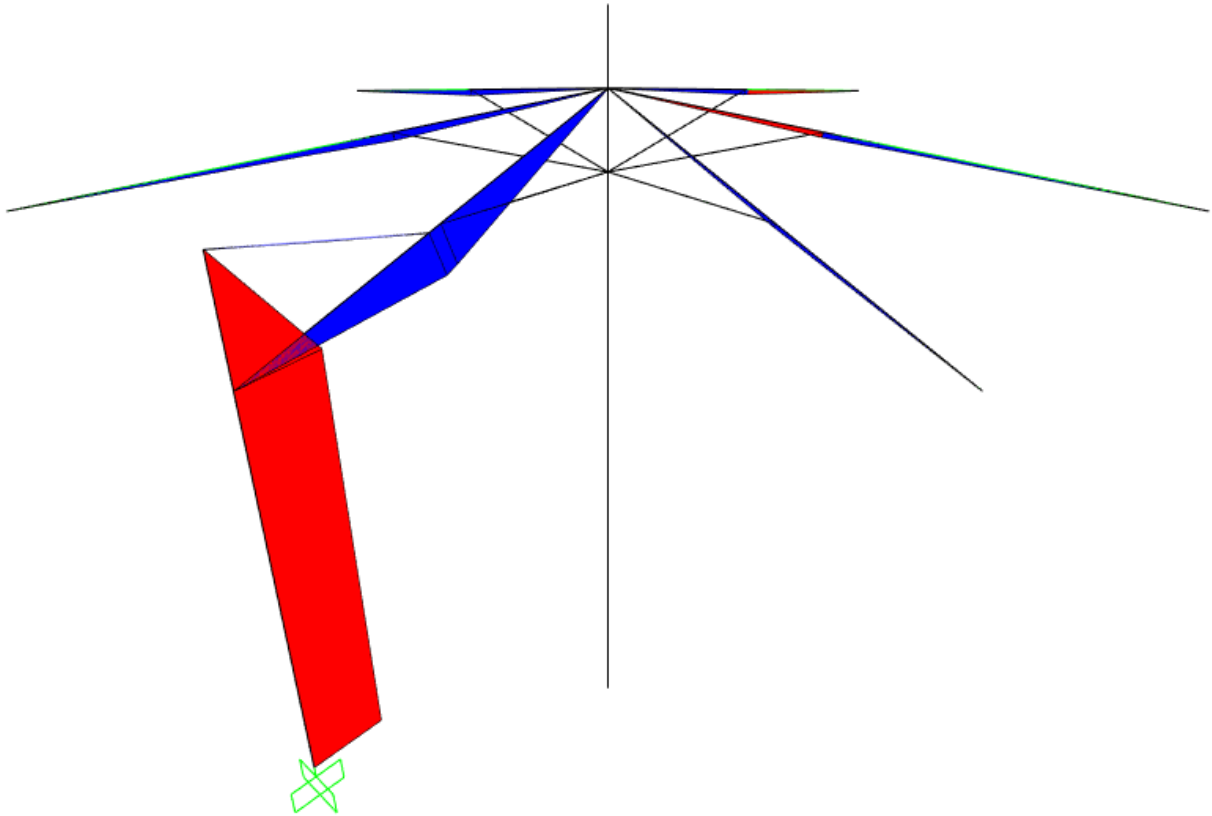


6.2 Results

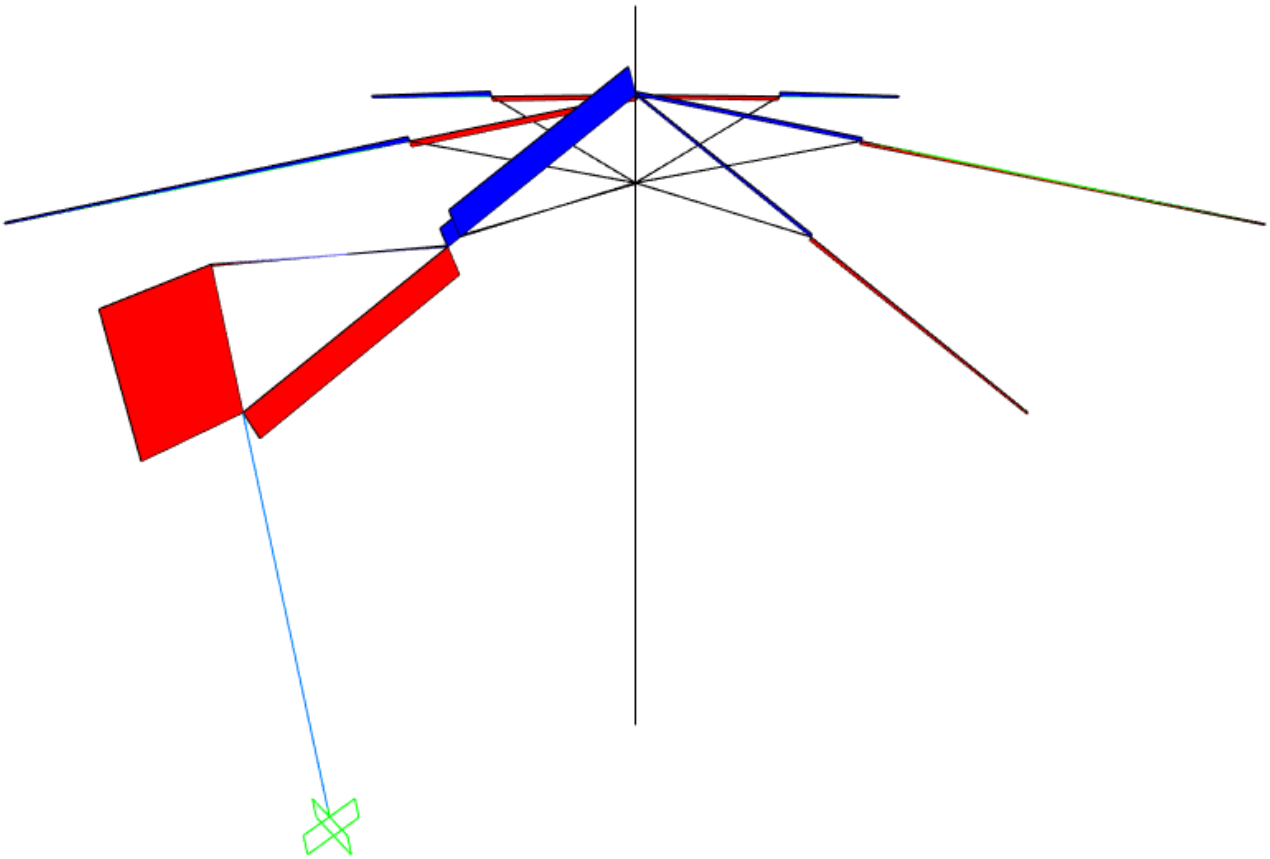
6.2.1 Maximum deflection (serviceability)



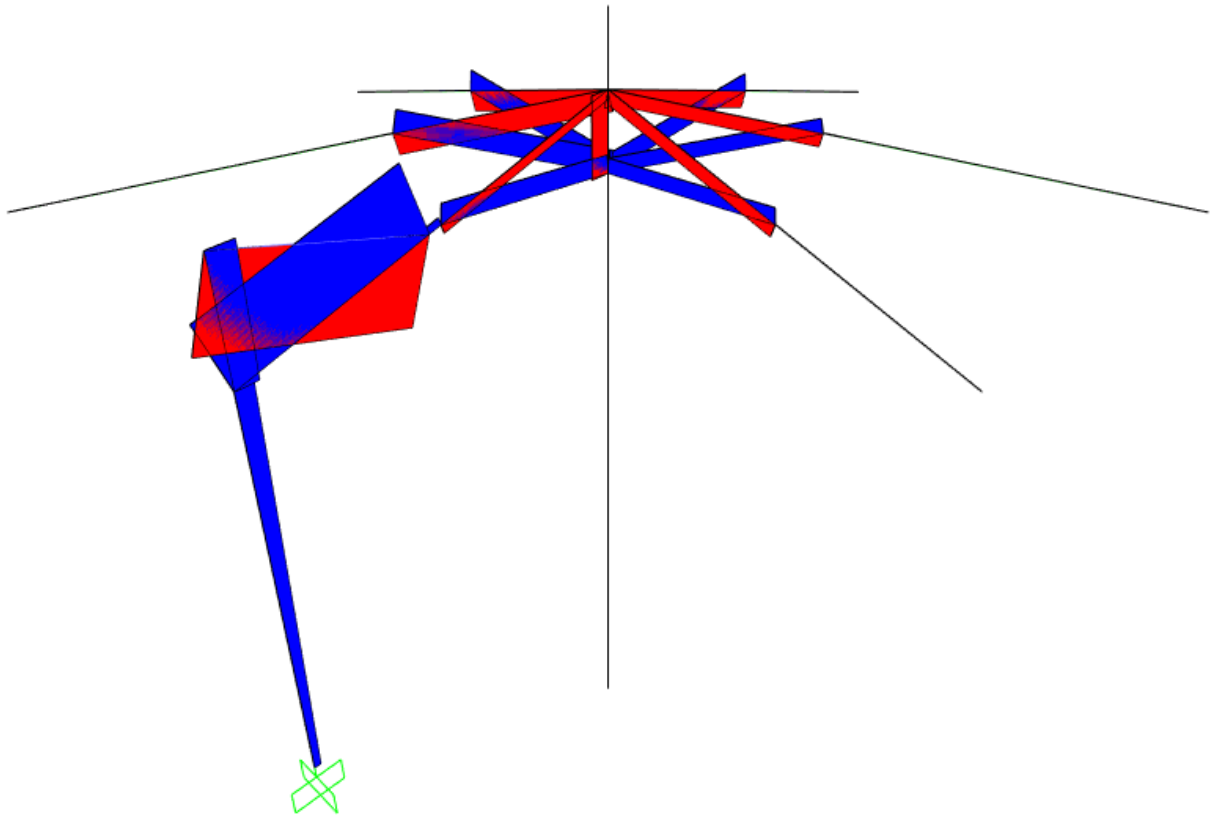
6.2.2 Maximum Bending Moment



6.2.3 Maximum Shear



6.2.4 Maximum Axial Force



6.2.5 Maximum Reactions

TABLE: Joint Reactions						
OutputCase	F1 KN	F2 KN	F3 KN	M1 KN-m	M2 KN-m	M3 KN-m
1.2G+Wmax	1.964E-12	-0.048	0.608	-0.1317	-0.8242	-0.0845
0.9G+Wmin	-1.55E-12	-0.012	-0.251	-0.0315	0.6199	-0.0202

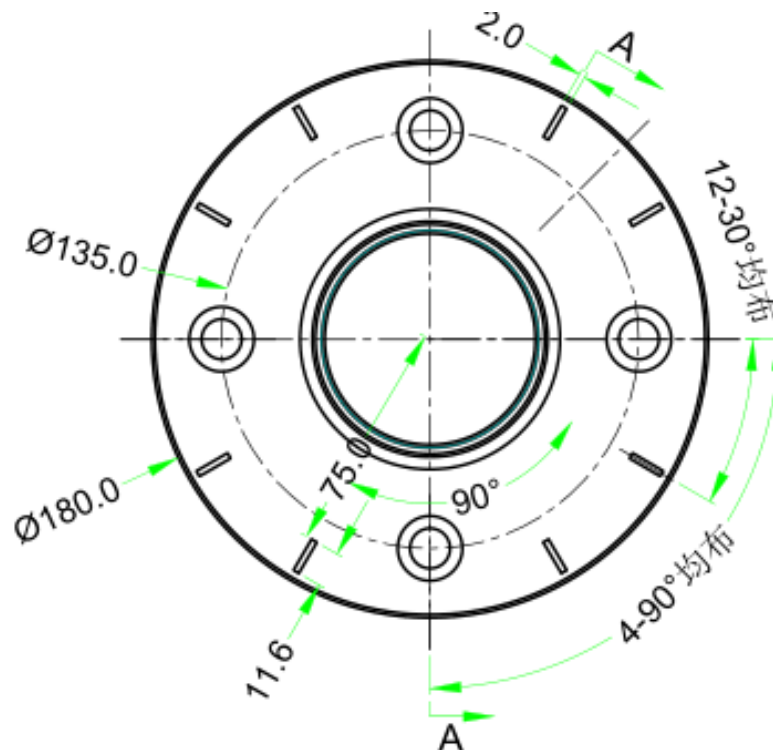
7 Aluminium Design

All members pass for the defined design wind actions. Refer to Appendix 'B' for section capacities and factor of safeties.

8 Anchorage Design

8.1 Bolted Structure

Refer to Appendix 'C' for details.



Base Plate Radius: 90mm

Edge distance: 25mm

Assumed Concrete Slab Thickness: 180mm

Maximum Tensile Force on bolts: 5.33kN

Design of supporting concrete slab is by others.

Use 4/HLA-Z1 M10 bolt by All Fasteners

8.2 Weighted structure



Base Plate Holder: 850mm x 850mm x 70mm

Design forces:

$M^* = 0.62 \text{ kN.m}$

$P = 0.25 \text{ kN}$

$0.73 \times 0.85 + 0.251 \times 0.85/2 = W/2 \times 0.85 \rightarrow W = 1.71 \text{ kN}$

180kg ballast is required to be distributed evenly on the 850 x 850 x 70 base plate holder

9 Summary and Recommendations

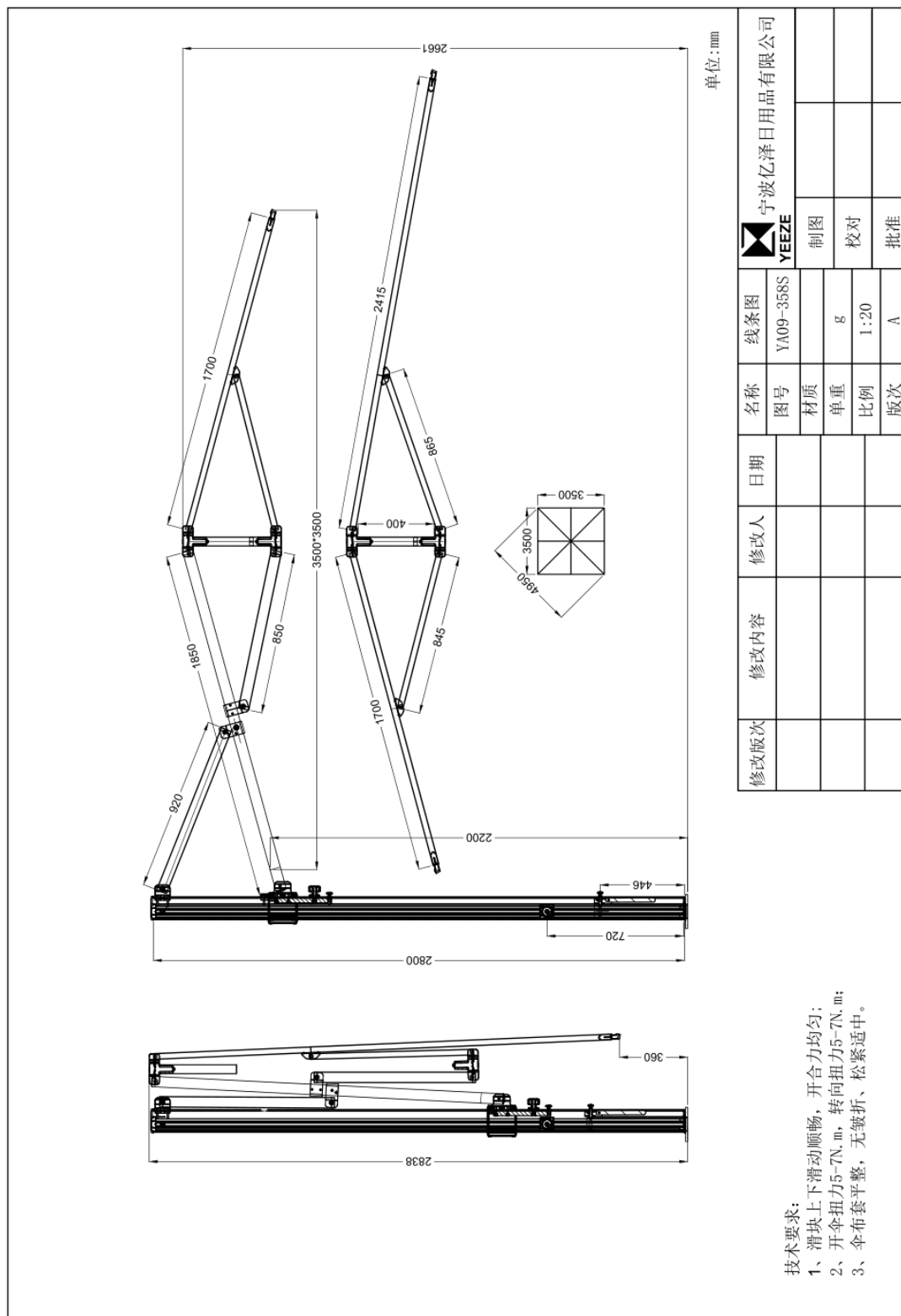
- The 3.5m Square Cantilever Umbrella Structure as specified is capable of withstanding 3s gust wind speed up to **55km/hr**.
- The umbrella structure is required to be folded for forecast winds in excess of **20km/hr** to avoid any potential permanent deformation/buckling due to excessive deflection as a result of higher wind speeds.
- The anchorage system described in **Cl. 8** (180kg ballast or 4/HLA-Z1 M10 bolt) is required to resist against uplift & overturning forces due to design wind loads.

Yours faithfully,

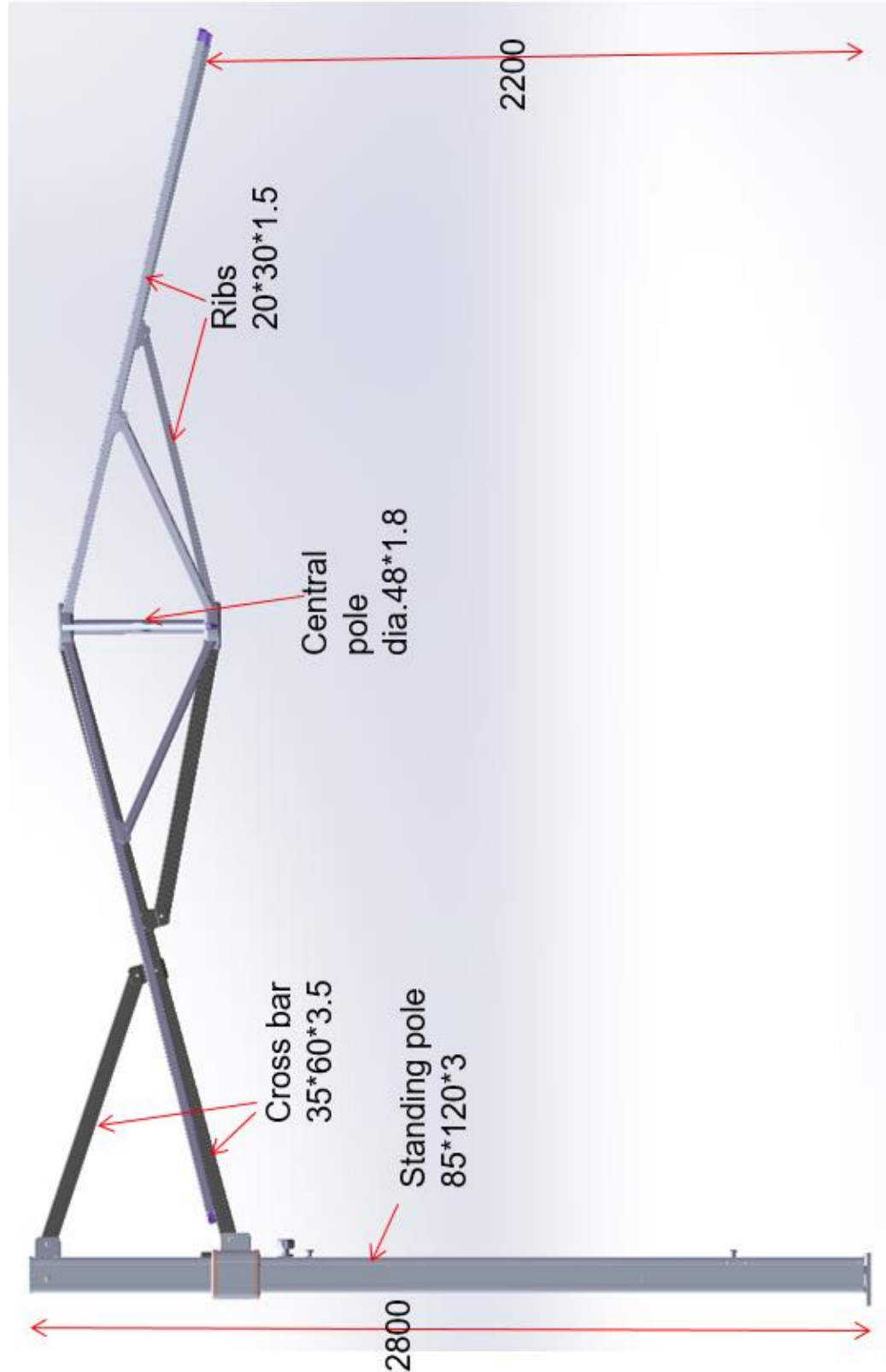
Prime Consulting Engineers Pty. Ltd.

Kevin Zia, BEng, Meng, MIEAust, CPENG NER

10 Appendix A – Detail Drawings

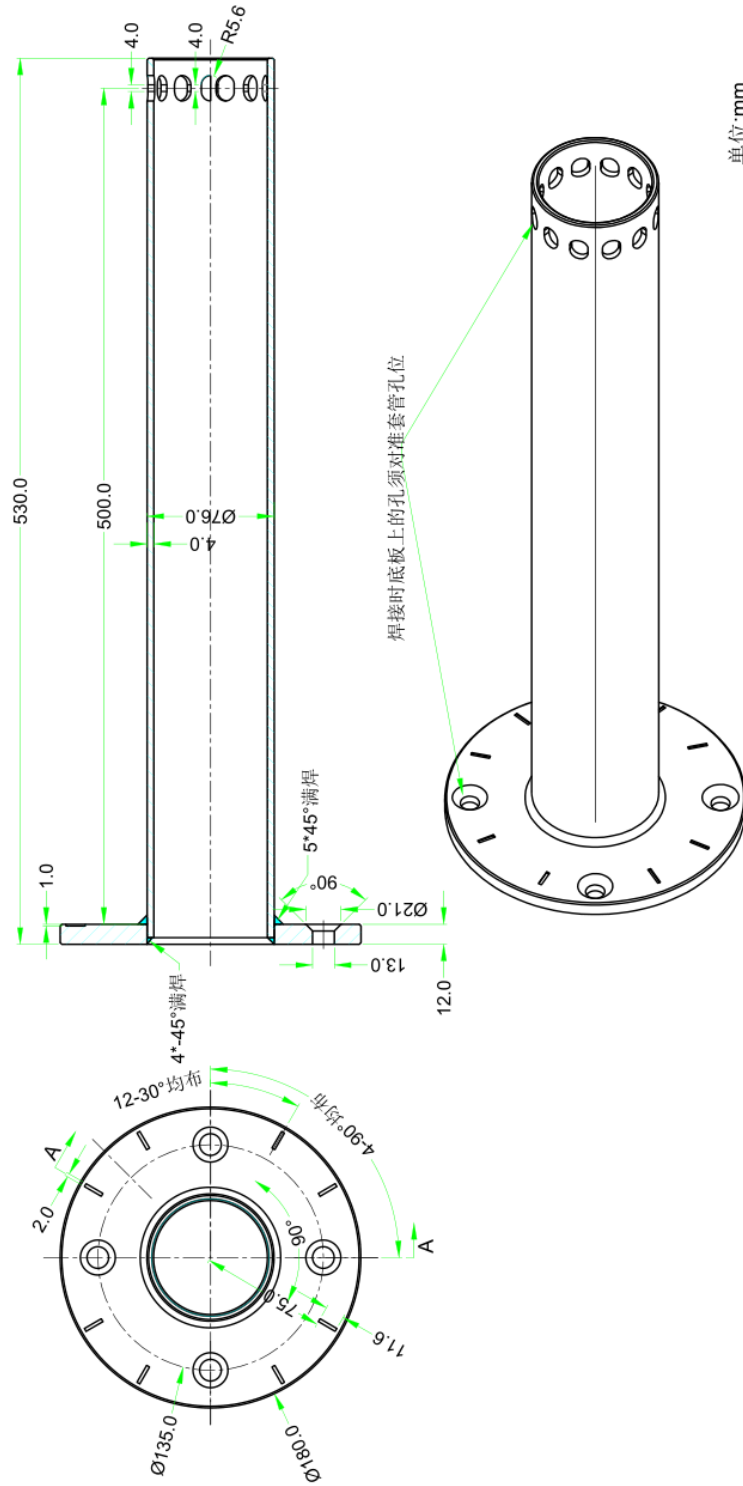


Tubes and connectors



未注线性尺寸公差表

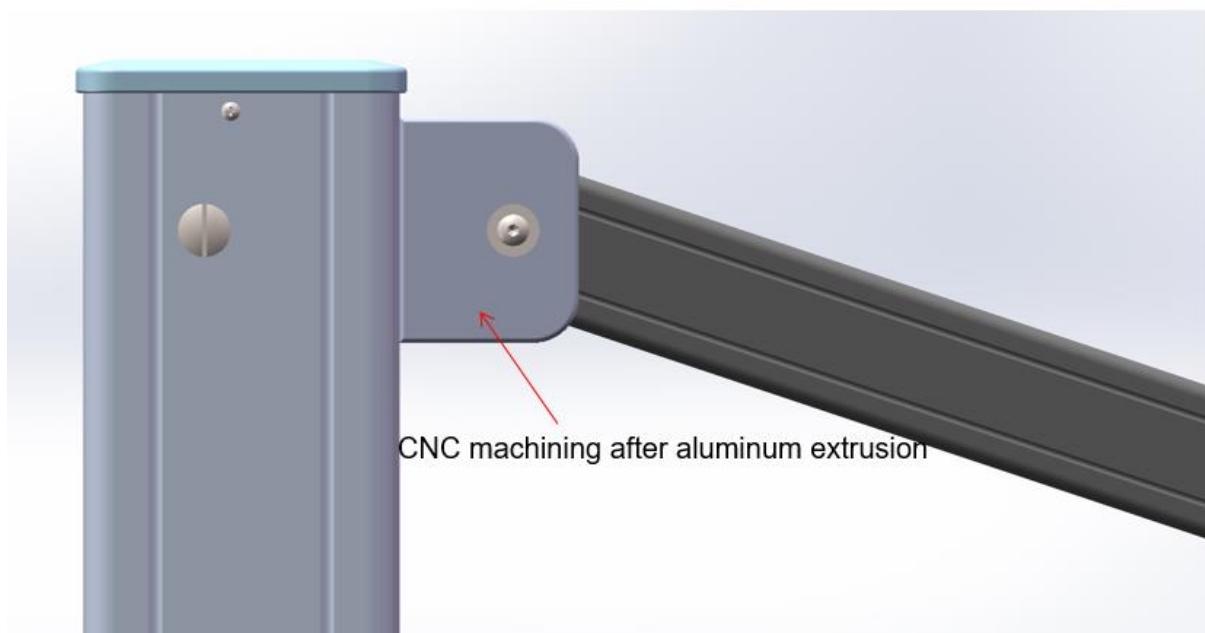
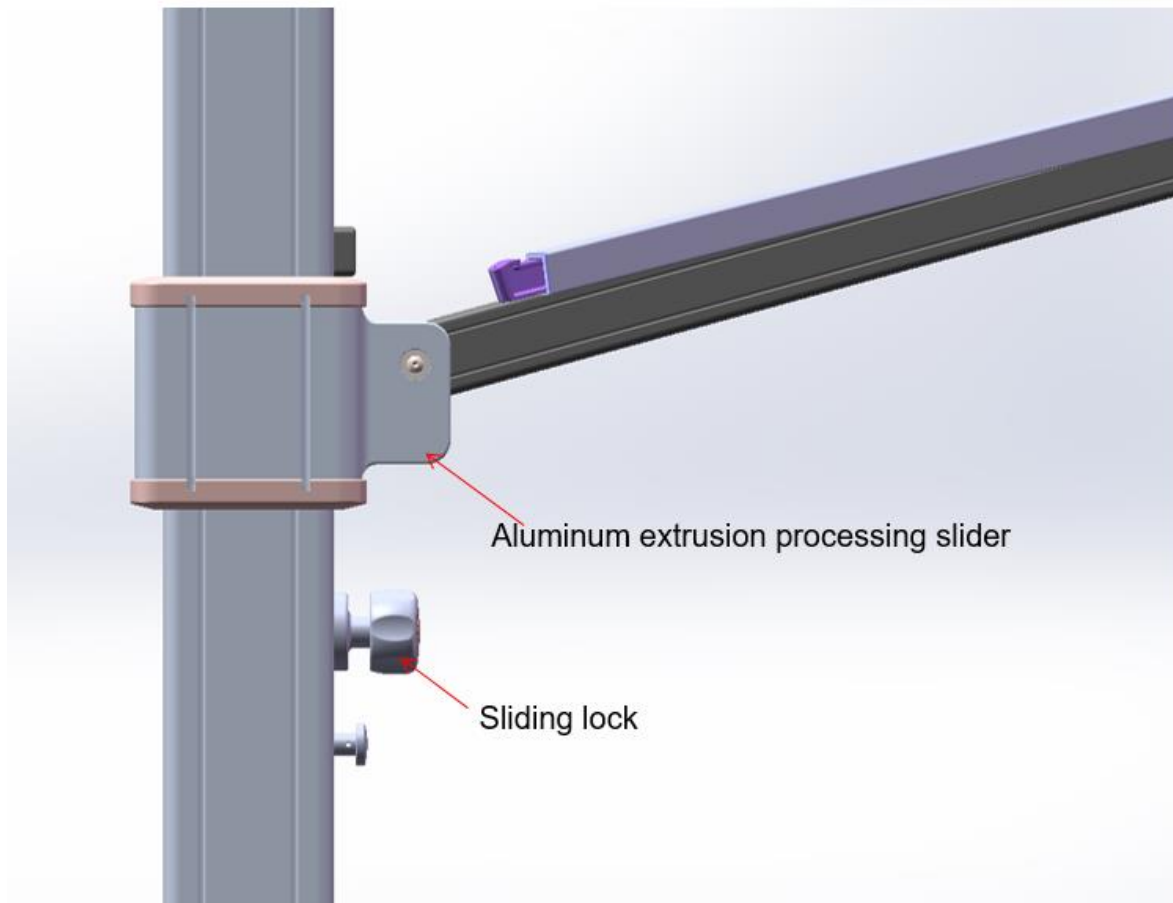
0.5-3mm	>3-6mm	>6-30mm	>30-120mm	>120-400mm
±0.1	±0.1	±0.2	±0.3	±0.5

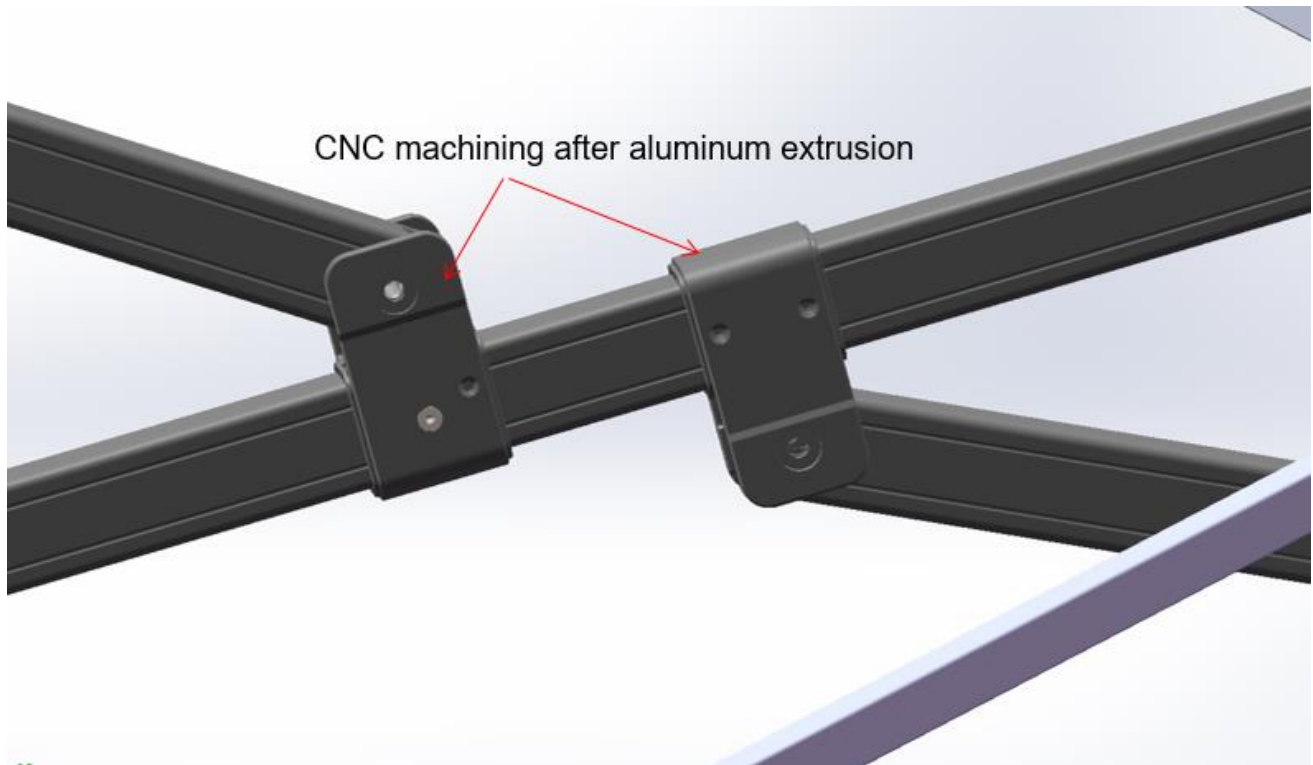


修改版次	修改内容	修改人	日期	名称	底座焊件	YEEZE	宁波亿泽日用品有限公司
				图号	T-01-014	制图	
				材质		g	
				单重		1:4	
				比例		批准	
				版次	A		

技术要求:

- 1、产品表面无锋边、未注倒角C0.5;
- 2、焊接时焊缝要求平滑,不得有气孔夹渣等焊接缺陷;
- 3、产品表面镀锌处理。





11 Appendix B – Section capacity

11.1 Checking Members Based on AS1664.1 ALUMINIUM LSD

11.1.1 Post



Job no.

21-174-2

Date: 17/01/2022

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
120x85x3	Post				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	= 152	MPa	Ultimate	T3.3(A)
	F_{ty}	= 110	MPa	Yield	
Compression	F_{cy}	= 110	MPa		
Shear	F_{su}	= 90	MPa	Ultimate	
	F_{sy}	= 62	MPa	Yield	
Bearing	F_{bu}	= 317	MPa	Ultimate	
	F_{by}	= 179	MPa	Yield	
Modulus of elasticity	E	= 70000	MPa	Compressive	
	k_t	= 1			T3.4(B)
	k_c	= 1			
FEM ANALYSIS RESULTS					
Axial force	P	= 0.524	kN	compression	
	P	= 0	kN	Tension	
In plane moment	M_x	= 0.8242	kNm		
Out of plane moment	M_y	= 0.2379	kNm		
DESIGN STRESSES					
Gross cross section area	A_g	= 1194	mm ²		
In-plane elastic section modulus	Z_x	= 41441.7	mm ³		
Out-of-plane elastic section mod.	Z_y	= 34291.282	mm ³		
Stress from axial force	f_a	= P/A_g			
		= 0.44	MPa	compression	

Stress from in-plane bending	f_{bx}	=	0.00	MPa	Tension	
		=	M_x/Z_x			
		=	19.89	MPa	compression	
Stress from out-of-plane bending	f_{by}	=	M_y/Z_y			
		=	6.94	MPa	compression	
Tension						
3.4.3 Tension in rectangular tubes						
	ϕF_L	=	104.50	MPa		
		OR				
	ϕF_L	=	129.20	MPa		
COMPRESSION						
3.4.8 Compression in columns, axial, gross section						
1. General						... 3.4.8.1
Unsupported length of member	L	=	2800	mm		
Effective length factor	k	=	1.00			
Radius of gyration about buckling axis (Y)	r_y	=	34.94	mm		
Radius of gyration about buckling axis (X)	r_x	=	45.63	mm		
Slenderness ratio	kLb/r_y	=	62.97			
Slenderness ratio	kL/r_x	=	61.36			
Slenderness parameter	λ	=	0.795			
	D_c^*	=	39.0			
	S_1^*	=	0.24			
	S_2^*	=	1.25			
	ϕ_{cc}	=	0.833			
Factored limit state stress	ϕF_L	=	73.54	MPa		
2. Sections not subject to torsional or torsional-flexural buckling						... 3.4.8.2
Largest slenderness ratio for flexural buckling	kL/r	=	62.97			
3.4.10 Uniform compression in components of columns, gross section - flat plates						
1. Uniform compression in components of columns, gross section - flat plates with both edges supported						... 3.4.10.1 T3.3(D)
	k_1	=	0.35			
Max. distance between toes of fillets of supporting elements for plate	b'	=	79			
	t	=	3	mm		
Slenderness	b/t	=	26.333333			

Limit 1	S_1	=	12.06		
Limit 2	S_2	=	49.94		
Factored limit state stress	ϕF_L	=	93.08	MPa	
Most adverse compressive limit state stress	F_a	=	73.54	MPa	
Most adverse tensile limit state stress	F_a	=	104.50	MPa	
Most adverse compressive & Tensile capacity factor	f_a/F_a	=	0.01		PASS
BENDING - IN-PLANE					
3.4.15 Compression in beams, extreme fibre, gross section rectangular tubes, box sections					
Unbraced length for bending	L_b	=	2200	mm	
Second moment of area (weak axis)	I_y	=	1.46E+06	mm ⁴	
Torsion modulus	J	=	2.78E+06	mm ³	
Elastic section modulus	Z	=	41441.7	mm ³	
Slenderness	S	=	90.67		
Limit 1	S_1	=	21.80		
Limit 2	S_2	=	3854.05		
Factored limit state stress	ϕF_L	=	95.00	MPa	3.4.15(2)
3.4.17 Compression in components of beams (component under uniform compression), gross section - flat plates with both edges supported					
	k_1	=	0.5		T3.3(D)
	k_2	=	2.04		T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	79	mm	
	t	=	3	mm	
Slenderness	b/t	=	26.333333		
Limit 1	S_1	=	12.06		
Limit 2	S_2	=	71.35		
Factored limit state stress	ϕF_L	=	93.08	MPa	
Most adverse in-plane bending limit state stress	F_{bx}	=	93.08	MPa	
Most adverse in-plane bending capacity factor	f_{bx}/F_{bx}	=	0.21		PASS

BENDING - OUT-OF-PLANE					
NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)					
Factored limit state stress	ϕF_L	=	93.08	MPa	
Most adverse out-of-plane bending limit state stress	F_{by}	=	93.08	MPa	
Most adverse out-of-plane bending capacity factor	f_{by}/F_{by}	=	0.07		PASS
COMBINED ACTIONS					
4.1.1 Combined compression and bending					... 4.1.1(2)
	F_a	=	73.54	MPa	... 3.4.8
	F_{ao}	=	93.08	MPa	... 3.4.10
	F_{bx}	=	93.08	MPa	... 3.4.17
	F_{by}	=	93.08	MPa	... 3.4.17
	f_a/F_a	=	0.006		
Check: $f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by} \leq 1.0$... 4.1.1 (3)
i.e.	0.29	≤	1.0		PASS
SHEAR					
3.4.24 Shear in webs (Major Axis)					... 4.1.1(2)
Clear web height	h	=	114	mm	
	t	=	3	mm	
Slenderness	h/t	=	38		
Limit 1	S_1	=	33.38		
Limit 2	S_2	=	59.31		
Factored limit state stress	ϕF_L	=	57.60	MPa	
Stress From Shear force	f_{sx}	=	V/A_w		
			0.00	MPa	
3.4.25 Shear in webs (Minor Axis)					
Clear web height	b	=	79	mm	
	t	=	3	mm	
Slenderness	b/t	=	26.333333		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sy}	=	V/A_w		

			0.05	MPa		
Most adverse shear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.00	MPa		
Most adverse shear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.00	Mpa	PASS	
COMBINED ACTIONS						
4.4 Combined Shear, Compression and bending						
Check: $f_a/F_a + f_b/F_b + (f_s/F_s)^2 \leq 1.0$						
i.e. 0.22 ≤ 1.0						
					PASS	

11.1.2 Cantilever Beam



Job no.

21-174-2

Date:

17/01/2022

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
60x35x3.5	Cantilever Beam				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	=	152	MPa	Ultimate
	F_{ty}	=	110	MPa	Yield
Compression	F_{cy}	=	110	MPa	
Shear	F_{su}	=	90	MPa	Ultimate
	F_{sy}	=	62	MPa	Yield
Bearing	F_{bu}	=	317	MPa	Ultimate
	F_{by}	=	179	MPa	Yield
Modulus of elasticity	E	=	70000	MPa	Compressive
	k_t	=	1		
	k_c	=	1		
FEM ANALYSIS RESULTS					
Axial force	P	=	0.057	kN	compression
	P	=	0	kN	Tension

In plane moment	M_x	=	0.3859	kNm		
Out of plane moment	M_y	=	0.1841	kNm		
DESIGN STRESSES						
Gross cross section area	A_g	=	616	mm ²		
In-plane elastic section modulus	Z_x	=	9420.677 8	mm ³		
Out-of-plane elastic section mod.	Z_y	=	6709.733 3	mm ³		
Stress from axial force	f_a	=	P/A_g			
		=	0.09	MPa	compression	
		=	0.00	MPa	Tension	
Stress from in-plane bending	f_{bx}	=	M_x/Z_x			
		=	40.96	MPa	compression	
Stress from out-of-plane bending	f_{by}	=	M_y/Z_y			
		=	27.44	MPa	compression	
Tension						
3.4.3 Tension in rectangular tubes						
	ϕF_L	=	104.50	MPa		
		O R				
	ϕF_L	=	129.20	MPa		
COMPRESSION						
3.4.8 Compression in columns, axial, gross section						
1. General						... 3.4.8.1
Unsupported length of member	L	=	1850	mm		
Effective length factor	k	=	1.00			
Radius of gyration about buckling axis (Y)	r_y	=	13.81	mm		
Radius of gyration about buckling axis (X)	r_x	=	21.42	mm		
Slenderness ratio	kLb/r_y	=	68.81			
Slenderness ratio	kL/r_x	=	86.37			
Slenderness parameter	λ	=	1.09			
	D_c^*	=	39.0			
	S_1^*	=	0.24			
	S_2^*	=	1.25			
	ϕ_{cc}	=	0.771			
Factored limit state stress	ϕF_L	=	59.18	MPa		

2. Sections not subject to torsional or torsional-flexural buckling					... 3.4.8.2
Largest slenderness ratio for flexural buckling	kL/r	=	86.37		
3.4.10 Uniform compression in components of columns, gross section - flat plates					...
1. Uniform compression in components of columns, gross section - flat plates with both edges supported					3.4.10.1
	k ₁	=	0.35		T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	28		
	t	=	3.5	mm	
Slenderness	b/t	=	8		
Limit 1	S ₁	=	12.06		
Limit 2	S ₂	=	49.94		
Factored limit state stress	ϕF _L	=	104.50	MPa	
Most adverse compressive limit state stress	F _a	=	59.18	MPa	
Most adverse tensile limit state stress	F _a	=	104.50	MPa	
Most adverse compressive & Tensile capacity factor	f _a /F _a	=	0.00		PASS
BENDING - IN-PLANE					
3.4.15 Compression in beams, extreme fibre, gross section rectangular tubes, box sections					
Unbraced length for bending	L _b	=	950	mm	
Second moment of area (weak axis)	I _y	=	1.17E+05	mm ⁴	
Torsion modulus	J	=	2.52E+05	mm ³	
Elastic section modulus	Z	=	9420.6778	mm ³	
Slenderness	S	=	104.06		
Limit 1	S ₁	=	21.80		
Limit 2	S ₂	=	3854.05		
Factored limit state stress	ϕF _L	=	94.54	MPa	3.4.15(2)
3.4.17 Compression in components of beams (component under uniform compression), gross section - flat plates with both edges supported					...
	k ₁	=	0.5		T3.3(D)
	k ₂	=	2.04		T3.3(D)

Max. distance between toes of fillets of supporting elements for plate	b'	=	28	mm		
	t	=	3.5	mm		
Slenderness	b/t	=	8			
Limit 1	S_1	=	12.06			
Limit 2	S_2	=	71.35			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse in-plane bending limit state stress	F_{bx}	=	94.54	MPa		
Most adverse in-plane bending capacity factor	f_{bx}/F_{bx}	=	0.43		PASS	
BENDING - OUT-OF-PLANE						
NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)						
Factored limit state stress	ϕF_L	=	94.54	MPa		
Most adverse out-of-plane bending limit state stress	F_{by}	=	94.54	MPa		
Most adverse out-of-plane bending capacity factor	f_{by}/F_{by}	=	0.29		PASS	
COMBINED ACTIONS						
4.1.1 Combined compression and bending						...
	F_a	=	59.18	MPa		4.1.1(2)
	F_{ao}	=	104.50	MPa		... 3.4.8
	F_{bx}	=	94.54	MPa		... 3.4.10
	F_{by}	=	94.54	MPa		... 3.4.17
	f_a/F_a	=	0.002			... 3.4.17
Check:	$f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by} \leq 1.0$... 4.1.1
i.e.	0.73	\leq	1.0		PASS	(3)
SHEAR						
3.4.24 Shear in webs (Major Axis)						...
Clear web height	h	=	53	mm		4.1.1(2)
	t	=	3.5	mm		

Slenderness	h/t	=	15.14285		
			7		
Limit 1	S_1	=	33.38		
Limit 2	S_2	=	59.31		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sx}	=	V/A_w		
			0.93	MPa	
3.4.25 Shear in webs (Minor Axis)					
Clear web height	b	=	28	mm	
	t	=	3.5	mm	
Slenderness	b/t	=	8		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sy}	=	V/A_w		
			0.64	MPa	
Most adverseshear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.02	MPa	
Most adverseshear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.01	Mpa	PASS
COMBINED ACTIONS					
4.4 Combined Shear, Compresion and bending					
Check: $f_a/F_a + f_b/F_b + (f_s/F_s)^2 \leq 1.0$					
i.e. 0.44 ≤ 1.0					
					PASS

11.1.3 Brace (typ.1)

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
60x35x3.5	Brace 1				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	=	152	MPa	Ultimate
	F_{ty}	=	110	MPa	Yield
Compression	F_{cy}	=	110	MPa	

Shear	F_{su}	=	90	MPa	Ultimate	
	F_{sy}	=	62	MPa	Yield	
Bearing	F_{bu}	=	317	MPa	Ultimate	
	F_{by}	=	179	MPa	Yield	
Modulus of elasticity	E	=	70000	MPa	Compressive	
	k_t	=	1			T3.4(B)
	k_c	=	1			
FEM ANALYSIS RESULTS						
Axial force	P	=	0.117	kN	compression	
	P	=	0	kN	Tension	
In plane moment	M_x	=	7.227E-19	kNm		
Out of plane moment	M_y	=	0.2362	kNm		
DESIGN STRESSES						
Gross cross section area	A_g	=	616	mm ²		
In-plane elastic section modulus	Z_x	=	9420.6778	mm ³		
Out-of-plane elastic section mod.	Z_y	=	6709.7333	mm ³		
Stress from axial force	f_a	=	P/A_g			
		=	0.19	MPa	compression	
		=	0.00	MPa	Tension	
Stress from in-plane bending	f_{bx}	=	M_x/Z_x			
		=	0.00	MPa	compression	
Stress from out-of-plane bending	f_{by}	=	M_y/Z_y			
		=	35.20	MPa	compression	
Tension						
3.4.3 Tension in rectangular tubes						
	ϕF_L	=	104.50	MPa		
		OR				
	ϕF_L	=	129.20	MPa		
COMPRESSION						
3.4.8 Compression in columns, axial, gross section						
1. General						
						... 3.4.8.1
Unsupported length of member	L	=	1000	mm		
Effective length factor	k	=	1.00			
Radius of gyration about buckling axis (Y)	r_y	=	13.81	mm		

Radius of gyration about buckling axis (X)	r_x	=	21.42	mm		
Slenderness ratio	kL_b/r_y	=	72.43			
Slenderness ratio	kL/r_x	=	46.69			
Slenderness parameter	λ	=	0.91			
	D_c^*	=	39.0			
	S_1^*	=	0.24			
	S_2^*	=	1.25			
	ϕ_{cc}	=	0.808			
Factored limit state stress	ϕF_L	=	67.56	MPa		
2. Sections not subject to torsional or torsional-flexural buckling					...	3.4.8.2
Largest slenderness ratio for flexural buckling	kL/r	=	72.43			
3.4.10 Uniform compression in components of columns, gross section - flat plates						
1. Uniform compression in components of columns, gross section - flat plates with both edges supported					...	3.4.10.1
	k_1	=	0.35			T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	28			
	t	=	3.5	mm		
Slenderness	b/t	=	8			
Limit 1	S_1	=	12.06			
Limit 2	S_2	=	49.94			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse compressive limit state stress	F_a	=	67.56	MPa		
Most adverse tensile limit state stress	F_a	=	104.50	MPa		
Most adverse compressive & Tensile capacity factor	f_a/F_a	=	0.00		PASS	
BENDING - IN-PLANE						
3.4.15 Compression in beams, extreme fibre, gross section rectangular tubes, box sections						
Unbraced length for bending	L_b	=	1000	mm		
Second moment of area (weak axis)	I_y	=	117420.33	mm ⁴		

Torsion modulus	J	=	251961.03	mm ³		
Elastic section modulus	Z	=	9420.6778	mm ³		
Slenderness	S	=	109.54			
Limit 1	S ₁	=	21.80			
Limit 2	S ₂	=	3854.05			
Factored limit state stress	ϕF_L	=	94.37	MPa		3.4.15(2)
3.4.17 Compression in components of beams (component under uniform compression), gross section - flat plates with both edges supported						
	k ₁	=	0.5			T3.3(D)
	k ₂	=	2.04			T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	28	mm		
	t	=	3.5	mm		
Slenderness	b/t	=	8			
Limit 1	S ₁	=	12.06			
Limit 2	S ₂	=	71.35			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse in-plane bending limit state stress	F _{bx}	=	94.37	MPa		
Most adverse in-plane bending capacity factor	f _{bx} /F _{bx}	=	0.00		PASS	
BENDING - OUT-OF-PLANE						
NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)						
Factored limit state stress	ϕF_L	=	94.37	MPa		
Most adverse out-of-plane bending limit state stress	F _{by}	=	94.37	MPa		
Most adverse out-of-plane bending capacity factor	f _{by} /F _{by}	=	0.37		PASS	
COMBINED ACTIONS						
4.1.1 Combined compression and bending						
	F _a	=	67.56	MPa		... 4.1.1(2)
	F _{ao}	=	104.50	MPa		... 3.4.8
						... 3.4.10

	F_{bx}	=	94.37	MPa		... 3.4.17
	F_{by}	=	94.37	MPa		... 3.4.17
	f_a/F_a	=	0.003			
Check:	$f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by}$	\leq	1.0			... 4.1.1 (3)
i.e.	0.38	\leq	1.0		PASS	
SHEAR						
3.4.24 Shear in webs (Major Axis)						
						... 4.1.1(2)
Clear web height	h	=	53	mm		
	t	=	3.5	mm		
Slenderness	h/t	=	15.142857			
Limit 1	S_1	=	33.38			
Limit 2	S_2	=	59.31			
Factored limit state stress	ϕF_L	=	58.90	MPa		
Stress From Shear force	f_{sx}	=	V/A_w			
			0.02	MPa		
3.4.25 Shear in webs (Minor Axis)						
Clear web height	b	=	28	mm		
	t	=	3.5	mm		
Slenderness	b/t	=	8			
Factored limit state stress	ϕF_L	=	58.90	MPa		
Stress From Shear force	f_{sy}	=	V/A_w			
			0.73	MPa		
Most adverse shear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.00	MPa		
Most adverse shear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.01	Mpa	PASS	
COMBINED ACTIONS						
4.4 Combined Shear, Compression and bending						
Check:	$f_a/F_a + f_b/F_b + (f_s/F_s)^2$	\leq	1.0			
i.e.	0.38	\leq	1.0		PASS	

11.1.4 Brace (typ.2)



Job no.

21-174-2

Date:

17/01/2022

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
30x20x1.5	Brace 2				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	= 152	MPa	Ultimate	T3.3(A)
	F_{ty}	= 110	MPa	Yield	
Compression	F_{cy}	= 110	MPa		
Shear	F_{su}	= 90	MPa	Ultimate	
	F_{sy}	= 62	MPa	Yield	
Bearing	F_{bu}	= 317	MPa	Ultimate	
	F_{by}	= 179	MPa	Yield	
Modulus of elasticity	E	= 70000	MPa	Compressive	
	k_t	= 1			T3.4(B)
	k_c	= 1			
FEM ANALYSIS RESULTS					
Axial force	P	= 0.272	kN	compression	
	P	= 0	kN	Tension	
In plane moment	M_x	= 0	kNm		
Out of plane moment	M_y	= 0.0154	kNm		
DESIGN STRESSES					
Gross cross section area	A_g	= 141	mm ²		
In-plane elastic section modulus	Z_x	= 1141.05	mm ³		
Out-of-plane elastic section mod.	Z_y	= 894.575	mm ³		
Stress from axial force	f_a	= P/A_g			
		= 1.93	MPa	compression	
		= 0.00	MPa	Tension	
Stress from in-plane bending	f_{bx}	= M_x/Z_x			
		= 0.00	MPa	compression	
	f_{by}	= M_y/Z_y			

Stress from out-of-plane bending	=	17.21	MPa	compression	
<i>Tension</i>					
3.4.3 Tension in rectangular tubes					
ϕF_L	=	104.50	MPa		
	OR				
ϕF_L	=	129.20	MPa		
COMPRESSION					
3.4.8 Compression in columns, axial, gross section					
1. General					
Unsupported length of member	L	=	1000	mm	... 3.4.8.1
Effective length factor	k	=	1.00		
Radius of gyration about buckling axis (Y)	r_y	=	7.97	mm	
Radius of gyration about buckling axis (X)	r_x	=	11.02	mm	
Slenderness ratio	kLb/r_y	=	125.55		
Slenderness ratio	kL/r_x	=	90.76		
Slenderness parameter	λ	=	1.58		
	D_c^*	=	39.0		
	S_1^*	=	0.24		
	S_2^*	=	1.25		
	ϕ_{cc}	=	0.802		
Factored limit state stress	ϕF_L	=	35.14	MPa	
2. Sections not subject to torsional or torsional-flexural buckling					
Largest slenderness ratio for flexural buckling	kL/r	=	125.55		... 3.4.8.2
3.4.10 Uniform compression in components of columns, gross section - flat plates					
1. Uniform compression in components of columns, gross section - flat plates with both edges supported					
	k_1	=	0.35		... 3.4.10.1 T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	17		
	t	=	1.5	mm	
Slenderness	b/t	=	11.333333		
Limit 1	S_1	=	12.06		
Limit 2	S_2	=	49.94		

Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse compressive limit state stress	F_a	=	35.14	MPa		
Most adverse tensile limit state stress	F_a	=	104.50	MPa		
Most adverse compressive & Tensile capacity factor	f_a/F_a	=	0.05		PASS	
BENDING - IN-PLANE						
3.4.15 <i>Compression in beams, extreme fibre, gross section rectangular tubes, box sections</i>						
Unbraced length for bending	L_b	=	1000	mm		
Second moment of area (weak axis)	I_y	=	8945.75	mm ⁴		
Torsion modulus	J	=	17744.206	mm ³		
Elastic section modulus	Z	=	1141.05	mm ³		
Slenderness	S	=	181.13			
Limit 1	S_1	=	21.80			
Limit 2	S_2	=	3854.05			
Factored limit state stress	ϕF_L	=	92.36	MPa		3.4.15(2)
3.4.17 <i>Compression in components of beams (component under uniform compression), gross section - flat plates with both edges supported</i>						
	k_1	=	0.5			T3.3(D)
	k_2	=	2.04			T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	17	mm		
	t	=	1.5	mm		
Slenderness	b/t	=	11.333333			
Limit 1	S_1	=	12.06			
Limit 2	S_2	=	71.35			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse in-plane bending limit state stress	F_{bx}	=	92.36	MPa		
Most adverse in-plane bending capacity factor	f_{bx}/F_{bx}	=	0.00		PASS	

BENDING - OUT-OF-PLANE						
NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)						
Factored limit state stress	ϕF_L	=	92.36	MPa		
Most adverse out-of-plane bending limit state stress	F_{by}	=	92.36	MPa		
Most adverse out-of-plane bending capacity factor	f_{by}/F_{by}	=	0.19		PASS	
COMBINED ACTIONS						
4.1.1 Combined compression and bending						... 4.1.1(2)
	F_a	=	35.14	MPa		... 3.4.8
	F_{ao}	=	104.50	MPa		... 3.4.10
	F_{bx}	=	92.36	MPa		... 3.4.17
	F_{by}	=	92.36	MPa		... 3.4.17
	f_a/F_a	=	0.055			
Check:	$f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by} \leq 1.0$... 4.1.1 (3)
i.e.	0.24	≤	1.0		PASS	
SHEAR						
3.4.24 Shear in webs (Major Axis)						... 4.1.1(2)
Clear web height	h	=	27	mm		
	t	=	1.5	mm		
Slenderness	h/t	=	18			
Limit 1	S_1	=	33.38			
Limit 2	S_2	=	59.31			
Factored limit state stress	ϕF_L	=	58.90	MPa		
Stress From Shear force	f_{sx}	=	V/A_w			
			0.01	MPa		
3.4.25 Shear in webs (Minor Axis)						
Clear web height	b	=	17	mm		
	t	=	1.5	mm		
Slenderness	b/t	=	11.333333			
Factored limit state stress	ϕF_L	=	58.90	MPa		
Stress From Shear force	f_{sy}	=	V/A_w			

			0.22	MPa		
Most adverse shear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.00	MPa		
Most adverse shear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.00	Mpa	PASS	
COMBINED ACTIONS						
4.4 Combined Shear, Compression and bending						
Check: $f_a/F_a + f_b/F_b + (f_s/F_s)^2 \leq 1.0$						
i.e. 0.24 ≤ 1.0						
					PASS	

11.1.5 Middle Beam



Job no.

21-174-2

Date:

17/01/2022

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
30x20x1.5	Middle Beam				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	=	152	MPa	Ultimate
	F_{ty}	=	110	MPa	Yield
Compression	F_{cy}	=	110	MPa	
Shear	F_{su}	=	90	MPa	Ultimate
	F_{sy}	=	62	MPa	Yield
Bearing	F_{bu}	=	317	MPa	Ultimate
	F_{by}	=	179	MPa	Yield
Modulus of elasticity	E	=	70000	MPa	Compressive
	k_t	=	1		
	k_c	=	1		
FEM ANALYSIS RESULTS					
Axial force	P	=	0	kN	compression
	P	=	0.162	kN	Tension
In plane moment	M_x	=	0.0477	kNm	

Out of plane moment	M_y	=	0.0018	kNm		
DESIGN STRESSES						
Gross cross section area	A_g	=	141	mm ²		
In-plane elastic section modulus	Z_x	=	1141.05	mm ³		
Out-of-plane elastic section mod.	Z_y	=	894.575	mm ³		
Stress from axial force	f_a	=	P/A_g			
		=	0.00	MPa	compression	
		=	1.15	MPa	Tension	
Stress from in-plane bending	f_{bx}	=	M_x/Z_x			
		=	41.80	MPa	compression	
Stress from out-of-plane bending	f_{by}	=	M_y/Z_y			
		=	2.01	MPa	compression	
Tension						
3.4.3 Tension in rectangular tubes						
	ϕF_L	=	104.50	MPa		
		OR				
	ϕF_L	=	129.20	MPa		
COMPRESSION						
3.4.8 Compression in columns, axial, gross section						
1. General						... 3.4.8.1
Unsupported length of member	L	=	2040	mm		
Effective length factor	k	=	1.00			
Radius of gyration about buckling axis (Y)	r_y	=	7.97	mm		
Radius of gyration about buckling axis (X)	r_x	=	11.02	mm		
Slenderness ratio	kLb/r_y	=	130.57			
Slenderness ratio	kL/r_x	=	185.16			
Slenderness parameter	λ	=	2.34			
	D_c^*	=	39.0			
	S_1^*	=	0.24			
	S_2^*	=	1.25			
	ϕ_{cc}	=	0.907			
Factored limit state stress	ϕF_L	=	18.28	MPa		
2. Sections not subject to torsional or torsional-flexural buckling						... 3.4.8.2
Largest slenderness ratio for flexural buckling	kL/r	=	185.16			

3.4.10 Uniform compression in components of columns, gross section - flat plates					
<i>1. Uniform compression in components of columns, gross section - flat plates with both edges supported</i>					...
	k_1	=	0.35		3.4.10.1
Max. distance between toes of fillets of supporting elements for plate	b'	=	17		T3.3(D)
	t	=	1.5	mm	
Slenderness	b/t	=	11.333333		
Limit 1	S_1	=	12.06		
Limit 2	S_2	=	49.94		
Factored limit state stress	ϕF_L	=	104.50	MPa	
Most adverse compressive limit state stress	F_a	=	18.28	MPa	
Most adverse tensile limit state stress	F_a	=	104.50	MPa	
Most adverse compressive & Tensile capacity factor	f_a/F_a	=	0.01		PASS
BENDING - IN-PLANE					
3.4.15 Compression in beams, extreme fibre, gross section rectangular tubes, box sections					
Unbraced length for bending	L_b	=	1040	mm	
Second moment of area (weak axis)	I_y	=	8945.75	mm ⁴	
Torsion modulus	J	=	17744.206	mm ³	
Elastic section modulus	Z	=	1141.05	mm ³	
Slenderness	S	=	188.38		
Limit 1	S_1	=	21.80		
Limit 2	S_2	=	3854.05		
Factored limit state stress	ϕF_L	=	92.19	MPa	...
3.4.17 Compression in components of beams (component under uniform compression), gross section - flat plates with both edges supported					3.4.15(2)
	k_1	=	0.5		T3.3(D)
	k_2	=	2.04		T3.3(D)

Max. distance between toes of fillets of supporting elements for plate	b'	=	17	mm		
	t	=	1.5	mm		
Slenderness	b/t	=	11.333333			
Limit 1	S_1	=	12.06			
Limit 2	S_2	=	71.35			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse in-plane bending limit state stress	F_{bx}	=	92.19	MPa		
Most adverse in-plane bending capacity factor	f_{bx}/F_{bx}	=	0.45		PASS	
BENDING - OUT-OF-PLANE						
NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)						
Factored limit state stress	ϕF_L	=	92.19	MPa		
Most adverse out-of-plane bending limit state stress	F_{by}	=	92.19	MPa		
Most adverse out-of-plane bending capacity factor	f_{by}/F_{by}	=	0.02		PASS	
COMBINED ACTIONS						
4.1.1 Combined compression and bending						... 4.1.1(2)
	F_a	=	18.28	MPa		... 3.4.8
	F_{ao}	=	104.50	MPa		... 3.4.10
	F_{bx}	=	92.19	MPa		... 3.4.17
	F_{by}	=	92.19	MPa		... 3.4.17
	f_a/F_a	=	0.011			
Check:	$f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by} \leq 1.0$... 4.1.1 (3)
i.e.	0.49	≤	1.0		PASS	
SHEAR						
3.4.24 Shear in webs (Major Axis)						... 4.1.1(2)
Clear web height	h	=	27	mm		
	t	=	1.5	mm		
Slenderness	h/t	=	18			

Limit 1	S_1	=	33.38		
Limit 2	S_2	=	59.31		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sx}	=	V/A_w		
			0.59	MPa	
3.4.25 Shear in webs (Minor Axis)					
Clear web height	b	=	17	mm	
	t	=	1.5	mm	
Slenderness	b/t	=	11.333333		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sy}	=	V/A_w		
			0.10	MPa	
Most adverseshear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.01	MPa	
Most adverseshear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.00	Mpa	PASS
COMBINED ACTIONS					
4.4 Combined Shear, Compresion and bending					
Check: $f_a/F_a + f_b/F_b + (f_s/F_s)^2 \leq 1.0$					
i.e. 0.46 \leq 1.0					
					PASS

11.1.6 Corner Beam



Job no.

21-174-2

Date:

17/01/2022

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
30x20x1.5	Corner Beam				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	=	152	MPa	Ultimate
	F_{ty}	=	110	MPa	Yield
Compression	F_{cy}	=	110	MPa	
Shear	F_{su}	=	90	MPa	Ultimate

Bearing	F_{sy}	=	62	MPa	Yield	T3.4(B)
	F_{bu}	=	317	MPa	Ultimate	
	F_{by}	=	179	MPa	Yield	
Modulus of elasticity	E	=	70000	MPa	Compressive	
	k_t	=	1			
	k_c	=	1			
FEM ANALYSIS RESULTS						
Axial force	P	=	0	kN	compression	
	P	=	0.201	kN	Tension	
In plane moment	M_x	=	0.0788	kNm		
Out of plane moment	M_y	=	0.0062	kNm		
DESIGN STRESSES						
Gross cross section area	A_g	=	141	mm ²		
In-plane elastic section modulus	Z_x	=	1141.05	mm ³		
Out-of-plane elastic section mod.	Z_y	=	894.575	mm ³		
Stress from axial force	f_a	=	P/A_g			
		=	0.00	MPa	compression	
		=	1.43	MPa	Tension	
Stress from in-plane bending	f_{bx}	=	M_x/Z_x			
		=	69.06	MPa	compression	
Stress from out-of-plane bending	f_{by}	=	M_y/Z_y			
		=	6.93	MPa	compression	
Tension						
3.4.3 Tension in rectangular tubes						
	ϕF_L	=	104.50	MPa		
		O				
		R				
	ϕF_L	=	129.20	MPa		
COMPRESSION						
3.4.8 Compression in columns, axial, gross section						
1. General						... 3.4.8.1
Unsupported length of member	L	=	2820	mm		
Effective length factor	k	=	1.00			
Radius of gyration about buckling axis (Y)	r_y	=	7.97	mm		

Radius of gyration about buckling axis (X)	r_x	=	11.02	mm		
Slenderness ratio	kL_b/r_y	=	232.26			
Slenderness ratio	kL/r_x	=	255.95			
Slenderness parameter	λ	=	3.23			
	D_c^*	=	39.0			
	S_1^*	=	0.24			
	S_2^*	=	1.25			
	ϕ_{cc}	=	0.950			
Factored limit state stress	ϕF_L	=	10.02	MPa		
<i>2. Sections not subject to torsional or torsional-flexural buckling</i>						... 3.4.8.2
Largest slenderness ratio for flexural buckling	kL/r	=	255.95			
3.4.10 <i>Uniform compression in components of columns, gross section - flat plates</i>						
<i>1. Uniform compression in components of columns, gross section - flat plates with both edges supported</i>						... 3.4.10.1
	k_1	=	0.35			T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	17			
	t	=	1.5	mm		
Slenderness	b/t	=	11.33333			
Limit 1	S_1	=	12.06			
Limit 2	S_2	=	49.94			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse compressive limit state stress	F_a	=	10.02	MPa		
Most adverse tensile limit state stress	F_a	=	104.50	MPa		
Most adverse compressive & Tensile capacity factor	f_a/F_a	=	0.01		PASS	
BENDING - IN-PLANE						
3.4.15 <i>Compression in beams, extreme fibre, gross section rectangular tubes, box sections</i>						
Unbraced length for bending	L_b	=	1850	mm		

Second moment of area (weak axis)	I_y	=	8945.75	mm ⁴		
Torsion modulus	J	=	17744.20	mm ³		
Elastic section modulus	Z	=	1141.05	mm ³		
Slenderness	S	=	335.10			
Limit 1	S_1	=	21.80			
Limit 2	S_2	=	3854.05			
Factored limit state stress	ϕF_L	=	89.12	MPa		3.4.15(2)
3.4.17 Compression in components of beams (component under uniform compression), gross section - flat plates with both edges supported						
	k_1	=	0.5			T3.3(D)
	k_2	=	2.04			T3.3(D)
Max. distance between toes of fillets of supporting elements for plate	b'	=	17	mm		
	t	=	1.5	mm		
Slenderness	b/t	=	11.33333			
Limit 1	S_1	=	12.06			
Limit 2	S_2	=	71.35			
Factored limit state stress	ϕF_L	=	104.50	MPa		
Most adverse in-plane bending limit state stress	F_{bx}	=	89.12	MPa		
Most adverse in-plane bending capacity factor	f_{bx}/F_{bx}	=	0.77		PASS	
BENDING - OUT-OF-PLANE						
<i>NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)</i>						
Factored limit state stress	ϕF_L	=	89.12	MPa		
Most adverse out-of-plane bending limit state stress	F_{by}	=	89.12	MPa		
Most adverse out-of-plane bending capacity factor	f_{by}/F_{by}	=	0.08		PASS	
COMBINED ACTIONS						
4.1.1 Combined compression and bending						
						... 4.1.1(2)

	F_a	=	10.02	MPa	... 3.4.8
	F_{ao}	=	104.50	MPa	... 3.4.10
	F_{bx}	=	89.12	MPa	... 3.4.17
	F_{by}	=	89.12	MPa	... 3.4.17
	f_a/F_a	=	0.014		
	Check: $f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by} \leq 1.0$... 4.1.1 (3)
	i.e.	0.87	≤	1.0	PASS
SHEAR					
3.4.24 Shear in webs (Major Axis)					... 4.1.1(2)
Clear web height	h	=	27	mm	
	t	=	1.5	mm	
Slenderness	h/t	=	18		
Limit 1	S_1	=	33.38		
Limit 2	S_2	=	59.31		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sx}	=	V/A_w		
			0.94	MPa	
3.4.25 Shear in webs (Minor Axis)					
Clear web height	b	=	17	mm	
	t	=	1.5	mm	
Slenderness	b/t	=	$\frac{11.33333}{3}$		
Factored limit state stress	ϕF_L	=	58.90	MPa	
Stress From Shear force	f_{sy}	=	V/A_w		
			0.22	MPa	
Most adverseshear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.02	MPa	
Most adverseshear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.00	Mpa	PASS
COMBINED ACTIONS					
4.4 Combined Shear, Compresion and bending					
	Check: $f_a/F_a + f_b/F_b + (f_s/F_s)^2 \leq 1.0$				
	i.e.	0.79	≤	1.0	PASS

11.1.7 Centre Pole



Job no.

21-174-2

Date:

17/01/2022

NAME	SYMBOL	VALUE	UNIT	NOTES	REF
48x1.8	Centre Pole				
Alloy and temper	6063-T5				AS1664.1
Tension	F_{tu}	= 152	MPa	Ultimate	T3.3(A)
	F_{ty}	= 110	MPa	Yield	
Compression	F_{cy}	= 110	MPa		
Shear	F_{su}	= 90	MPa	Ultimate	
	F_{sy}	= 62	MPa	Yield	
Bearing	F_{bu}	= 317	MPa	Ultimate	
	F_{by}	= 179	MPa	Yield	
Modulus of elasticity	E	= 70000	MPa	Compressive	
	k_t	= 1.0			T3.4(B)
	k_c	= 1.1			
FEM ANALYSIS RESULTS					
Axial force	P	= 0.516	kN	compression	
	P	= 0	kN	Tension	
In plane moment	M_x	= 0	kNm		
Out of plane moment	M_y	= 0	kNm		
DESIGN STRESSES					
Gross cross section area	A_g	= 261.25485	mm ²		
In-plane elastic section modulus	Z_x	= 2908.7461	mm ³		
Out-of-plane elastic section mod.	Z_y	= 2908.7461	mm ³		
Stress from axial force	f_a	= P/A_g			
		= 1.98	MPa	compression	
		= 0.00	MPa	Tension	
Stress from in-plane bending	f_{bx}	= M_x/Z_x			
		= 0.00	MPa	compression	

Stress from out-of-plane bending	f_{by}	=	M_y/Z_y			
		=	0.00	MPa	<i>compression</i>	
<i>Tension</i>						
3.4.3 Tension in rectangular tubes						3.4.3
	ϕF_L	=	122.27	MPa		
		OR				
	ϕF_L	=	160.21	MPa		
COMPRESSION						
3.4.8 Compression in columns, axial, gross section						
1. General						3.4.8.1
Unsupported length of member	L	=	400	mm		
Effective length factor	k	=	1.00			
Radius of gyration about buckling axis (Y)	r_y	=	16.35	mm		
Radius of gyration about buckling axis (X)	r_x	=	16.35	mm		
Slenderness ratio	kLb/r_y	=	24.47			
Slenderness ratio	kL/r_x	=	24.47			
Slenderness parameter	λ	=	0.309			
	D_c^*	=	39.0			
	S_1^*	=	0.54			
	S_2^*	=	1.25			
	ϕ_{cc}	=	0.935			
Factored limit state stress	ϕF_L	=	91.85	MPa		
2. Sections not subject to torsional or torsional-flexural buckling						3.4.8.2
Largest slenderness ratio for flexural buckling	kL/r	=	24.47			
3.4.11 Uniform compression in components of columns, gross section - flat plates						
<i>Uniform compression in components of columns, gross section - curved plates with both edges, walls of round or oval tube</i>						3.4.11
	k_1	=	0.35			T3.3(D)
mid-thickness radius of round tubular column or maximum mid-thickness radius	R_m	=	23.1			
	t	=	1.8	mm		
Slenderness	R_m/t	=	12.833333			
Limit 1	S_1	=	1.69			
Limit 2	S_2	=	672.46			

Factored limit state stress	ϕF_L	=	103.88	MPa		
Most adverse compressive limit state stress	F_a	=	91.85	MPa		
Most adverse tensile limit state stress	F_a	=	122.27	MPa		
Most adverse compressive & Tensile capacity factor	f_a/F_a	=	0.02		PASS	
BENDING - IN-PLANE						
3.4.13 <i>Compression in beams, extreme fibre, gross section round or oval tubes</i>						
Unbraced length for bending	L_b	=	400	mm		
Second moment of area (weak axis)	I_y	=	6.98E+04	mm ⁴		
Torsion modulus	J	=	1.40E+05	mm ³		
Elastic section modulus	Z	=	2908.7461	mm ³		
	R_b/t	=	12.83			
Limit 1	S_1	=	17.65			
Limit 2	S_2	=	79.80			
Factored limit state stress	ϕF_L	=	122.27	MPa		3.4.13
3.4.18 <i>Compression in components of beams - curved plates with both edges supported</i>						
	k_1	=	0.5			T3.3(D)
	k_2	=	2.04			T3.3(D)
mid-thickness radius of round tubular column or maximum mid-thickness radius	R_b	=	23.1	mm		
	t	=	1.8	mm		
Slenderness	R_b/t	=	12.833333			
Limit 1	S_1	=	10.67			
Limit 2	S_2	=	79.80			
Factored limit state stress	ϕF_L	=	101.17	MPa		
Most adverse in-plane bending limit state stress	F_{bx}	=	101.17	MPa		
Most adverse in-plane bending capacity factor	f_{bx}/F_{bx}	=	0.00		PASS	
BENDING - OUT-OF-PLANE						

NOTE: Limit state stresses, ϕF_L are the same for out-of-plane bending (doubly symmetric section)					
Factored limit state stress	ϕF_L	=	101.17 MPa		
Most adverse out-of-plane bending limit state stress	F_{by}	=	101.17 MPa		
Most adverse out-of-plane bending capacity factor	f_{by}/F_{by}	=	0.00	PASS	
COMBINED ACTIONS					
4.1.1 Combined compression and bending					4.1.1
	F_a	=	91.85 MPa		3.4.11
	F_{ao}	=	103.88 MPa		3.4.11
	F_{bx}	=	101.17 MPa		3.4.18
	F_{by}	=	101.17 MPa		3.4.18
	f_a/F_a	=	0.022		
Check:	$f_a/F_a + f_{bx}/F_{bx} + f_{by}/F_{by} \leq 1.0$				4.1.1
i.e.	0.02	≤	1.0	PASS	
SHEAR					
3.4.24 Shear in webs (Major Axis)					3.4.24
	R	=	24 mm		
	t	=	1.8 mm		
Equivalent h/t	h/t	=	29.58		
Limit 1	S_1	=	33.38		
Limit 2	S_2	=	59.31		
Factored limit state stress	ϕF_L	=	58.90 MPa		
Stress From Shear force	f_{sx}	=	V/A_w		
		=	0.00 MPa		
3.4.25 Shear in webs (Minor Axis)					3.4.24
Clear web height	R	=	24 mm		
	t	=	1.8 mm		
Equivalent h/t	h/t	=	29.58		
Factored limit state stress	ϕF_L	=	58.90 MPa		
Stress From Shear force	f_{sy}	=	V/A_w		
		=	0.00 MPa		

Most adverse shear capacity factor (Major Axis)	f_{sx}/F_{sx}	=	0.00	MPa		
Most adverse shear capacity factor (Minor Axis)	f_{sy}/F_{sy}	=	0.00	Mpa	PASS	
COMBINED ACTIONS						
4.4 Combined Shear, Compression and bending						4.4
Check: $f_a/F_a + f_b/F_b + (f_s/F_s)^2 \leq 1.0$						
i.e. 0.02 ≤ 1.0						PASS

11.1.8 Summary Forces

MEMBER(S)	Section	b	d	t	Vx	Vy	P	Mx	My
		mm	mm	mm	kN	kN	kN	kN.m	kN.m
Post	120x85x3	85	120	3	-0	0.048	-0.524	0.8242	-0.2379
Cantilever Beam	60x35x3.5	35	60	3.5	-0.48	0.327	-0.057	-0.3859	0.1841
Brace 1	60x35x3.5	35	60	3.5	0.008	-0.375	-0.117	7.227E-19	0.2362
Brace 2	30x20x1.5	20	30	1.5	-0	0.026	-0.272	0	0.0154
Middle Beam	30x20x1.5	20	30	1.5	0.069	-0.012	0.162	-0.0477	0.0018
Corner Beam	30x20x1.5	20	30	1.5	-0.11	-0.026	0.201	-0.0788	-0.0062

MEMBER(S)	Section	d	t	Vx	Vy	P (Axial)	Mx	My
		mm	mm	kN	kN	kN	kN.m	kN.m
Centre Pole	48x1.8	48	1.8	0	0	-0.516	0	0

12 Appendix 'C' – Anchorage Design

AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.

Designer: KZ

Address: 21/1-7 Jordan St, Gladesville

Project: 3.5m SQ Cantilever Umbrella

Comments:

E-mail: info@primeengineers.com.au

Phone: 02 8964 1818

Fax:

Date: 1/21/2022

Page: 1 / 7

1. Input Data

Selected anchors:

- HLA-Z1 M10
Sleeve anchor
Zinc plated
Design based on AS 5216
- Assessment ETA-02/0030 (SZ)
Issued by DIBt, on 9/13/2019
- Effective anchorage depth $h_{ef} = 80$ mm
- Drilled hole $\Phi \times h_0 = 15.0 \times 104$ mm

Base material:

- Cracked concrete, Thickness of base material $h = 180$ mm
Strength class 32MPa, $f_c = 32.0$ N/mm²
- Wide concrete reinforcement
Rebar spacing $a \geq 150$ mm for all Φ or $a \geq 100$ mm for $\Phi \leq 10$ mm
- No edge and stirrup reinforcement
- Hammer drilled hole

Action loads:

- Predominantly static and quasi-static design loads

Installation:

- Base plate lies on the concrete surface directly
- Without gap filling

Base plate:

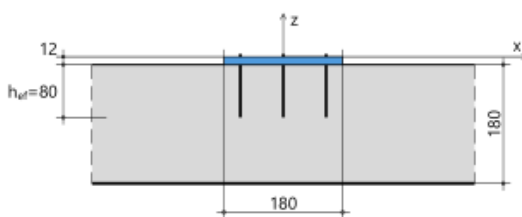
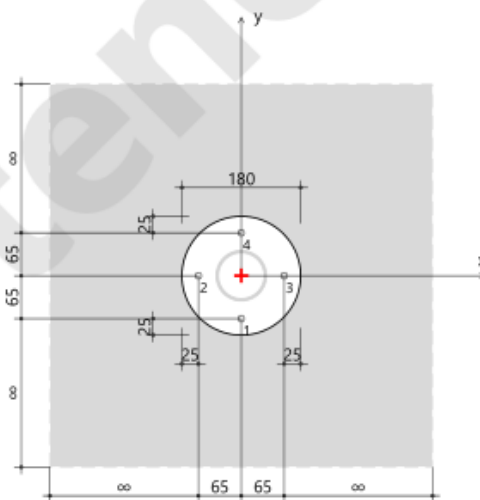
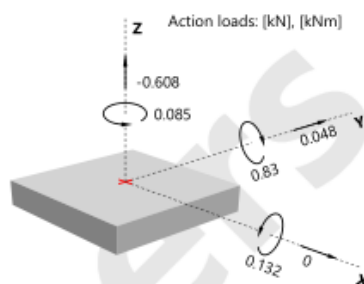
- G250, $E = 200000$ N/mm²
 $f_y = 250$ N/mm², $\phi_s = 0.741$, $f_{yd} = \phi_s \cdot f_y$
- Assumed: elastic plate
- Current thickness: 12.0 mm
 $\sigma/f_{yd} = 50.6/185.2 = 27.3\%$
- Circle
Diameter: 180 mm

Profile:

- Circular Hollow Section: 76.1x3.2 CHS
H x W x T x FT [mm]: 76 x 76 x 3.2 x 0.0
- Action point [mm]: [0, 0]
- Rotation counterclockwise: 0°
- No profile stiffness

Coordinates of anchors [mm]:

No.	x	y	Slotted hole	
			L-x	L-y
1	0.0	-65.0		
2	-65.0	0.0		
3	65.0	0.0		
4	0.0	65.0		



AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.
 Designer: KZ
 Address: 21/1-7 Jordan St, Gladesville
 Project: 3.5m SQ Cantilever Umbrella
 Comments:

E-mail: info@primeengineers.com.au
 Phone: 02 8964 1818
 Fax:
 Date: 1/21/2022
 Page: 2 / 7

Load cases, design load: [kN], [kNm]

Active	No.	N_x	V_x	V_y	M_x	M_y	Utilization	Decisive
⊙	1	-0.608	0.0	0.048	0.085	0.132	39.6%	
	2	0.251	0.0	0.012	0.02	0.032	-0.62	

2. Anchor internal forces [kN]

Tension load of anchors is calculated with elastic base plate.

Assumed: Anchor stiffness factor 0.50 → Anchor spring constant $C_0 = 70.8 \text{ kN/mm}$.

Assumed: coefficient for concrete bedding factor $b = 15.0$ → concrete bedding factor $C_c = b \cdot f_c = 480.0 \text{ N/mm}^2$

Anchor No.	Tension N_i	Shear V_i	Shear x	Shear y
1	1.026	0.327	0.327	0.012
2	5.328	0.315	0.000	-0.315
3	0.000	0.339	0.000	0.339
4	2.116	0.327	-0.327	0.012

Maximum plate displacement into concrete ($x/y=48.9/-10.4$): 0.007 [mm]

Maximum concrete compressive stress: 3.31 [N/mm²]

Mean concrete compressive stress: 1.23 [N/mm²]

Resultant tension force in ($x/y=-40.9/8.4$): 8.470 [kN]

Resultant compression force in ($x/y=53.1/-6.7$): 9.078 [kN]

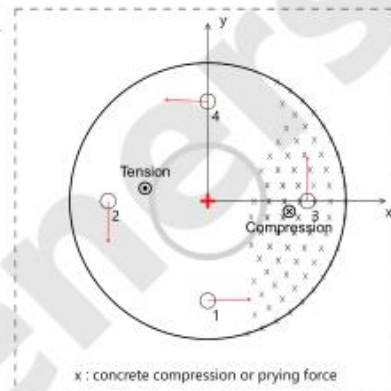
Remark: The edge distance is not to scale.

Displacement and rotation of profile on base plate ^{*)}

Displacement δ_z (+ve out of concrete): 0.031782 [mm]

Rotation θ_x : 0.000190 [rad]

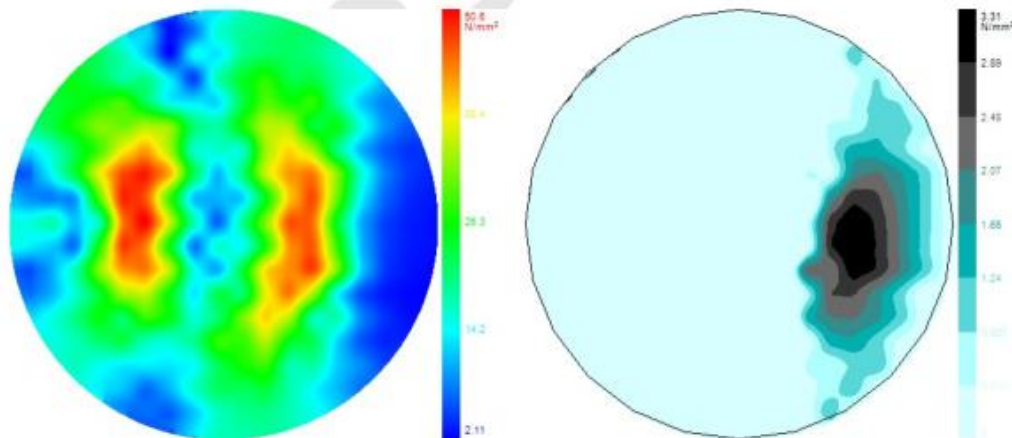
Rotation θ_y : 0.001089 [rad]



^{*)} Calculated using the best fit plane

Bending stresses in the base plate

Concrete compression stresses under the base plate



AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.

E-mail: info@primeengineers.com.au

Designer: KZ

Phone: 02 8964 1818

Address: 21/1-7 Jordan St, Gladesville

Fax:

Project: 3.5m SQ Cantilever Umbrella

Date: 1/21/2022

Comments:

Page: 3 / 7

3. Verification at ultimate limit state based on AS 5216
3.1 Tension load

	Related anchor	Action [kN]	Resistance [kN]	Utilization [%]	Status
Steel failure	2	5.328	30.667	17.4	✓
Pull-out	2	5.328	13.440	39.6	✓
Concrete cone failure	1,2,4	8.470	36.625	23.1	✓
Concrete cone failure e ^{*)}	-	-	-	-	not applicable
Splitting failure	-	-	-	-	not applicable

*) additional proof for the fastening with elastic base plate

Steel failure

$$N_{Rd,s} = N_{Rk,s} \cdot \phi_{s,N} \quad \beta_{N,s} = N^* / N_{Rd,s}$$

$N_{Rk,s}$ [kN]	$\phi_{s,N}$	$N_{Rd,s}$ [kN]	N^* [kN]	$\beta_{N,s}$
46.0	0.667	30.667	5.328	0.174

Pull-out

$$N_{Rd,p} = N_{Rk,p}^0 \cdot \psi_c \cdot \phi_{p,N} \quad \beta_{N,p} = N^* / N_{Rd,p}$$

$N_{Rk,p}^0$ [kN]	ψ_c	$\phi_{p,N}$	$N_{Rd,p}$ [kN]	N^* [kN]	$\beta_{N,p}$
16.0	1.26	0.667	13.440	5.328	0.396

Concrete cone failure

$$N_{Rk,c} = N_{Rk,c}^0 \cdot \psi_{A,N} \cdot \psi_{s,N} \cdot \psi_{re,N} \cdot \psi_{ec,N} \cdot \psi_{M,N} \quad N_{Rk,c}^0 = k_1 \cdot (f_c)^{0.5} \cdot h_{ef}^{1.5} \quad \psi_{A,N} = A_{c,N} / A_{c,N}^0 \quad N_{Rd,c} = N_{Rk,c} \cdot \phi_{c,N}$$

$N_{Rk,c}^0$ [kN]	$A_{c,N}$ [mm ²]	$A_{c,N}^0$ [mm ²]	$\psi_{A,N}$	k_1	$\phi_{c,N}$	h_{ef} [mm]	$s_{cr,N}$ [mm]	$c_{cr,N}$ [mm]	$\psi_{s,N}$	$\psi_{re,N}$	$e_{N,x}$ [mm]	$e_{N,y}$ [mm]	$\psi_{ec,N,x}$	$\psi_{ec,N,y}$	$\psi_{ec,N}$	$\psi_{M,N}$	$N_{Rk,c}$ [kN]	$N_{Rd,c}$ [kN]	N^* [kN]	$\beta_{N,c}$
31.167	104400	57600	1.813	7.7	0.667	80.0	240.0	120.0	1.0	1.0	19.2	8.4	0.862	0.935	0.806	1.207	54.937	36.625	8.470	0.231

Concrete cone failure for single anchor (additional proof for the fastening with elastic base plate)

Verification is not required.

Splitting

Verification of splitting failure is not necessary, because:

- The smallest edge distance of anchor is $c \geq 1.2 c_{cr,sp}$.

3.2 Shear

	Related anchor	Action [kN]	Resistance [kN]	Utilization [%]	Status
Steel failure (without l. arm)	3	0.339	38.400	0.9	✓
Pry-out	3	0.339	21.509	1.6	✓
Concrete edge failure	-	-	-	-	not applicable

Steel failure without lever arm

$$V_{Rd,s} = V_{Rk,s} \cdot k_7 \cdot \phi_{s,V} \quad \beta_{V,s} = V^* / V_{Rd,s}$$

$V_{Rk,s}$ [kN]	k_7	$\phi_{s,V}$	$V_{Rd,s}$ [kN]	V^* [kN]	$\beta_{V,s}$
48.0	1.0	0.8	38.400	0.339	0.009

AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.

E-mail: info@primeengineers.com.au

Designer: KZ

Phone: 02 8964 1818

Address: 21/1-7 Jordan St, Gladesville

Fax:

Project: 3.5m SQ Cantilever Umbrella

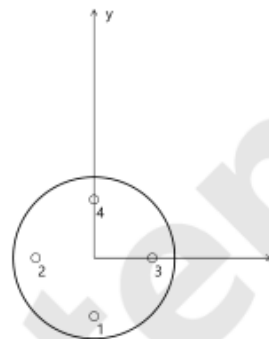
Date: 1/21/2022

Comments:

Page: 4 / 7

Pry-out failure

$N_{Rk,c} = N_{Rk,c}^0 \cdot \psi_{A,N} \cdot \psi_{s,N} \cdot \psi_{re,N} \cdot \psi_{ec,V,cp}$											
$N_{Rk,c}^0 = k_1 \cdot (f_c)^{0.5} \cdot h_{ef}^{1.5} [N]$											
$\psi_{A,N} = A_{c,N}^0 / A_{c,N}$											
$V_{Rk,cp} = k_s \cdot N_{Rk,c}$											
$V_{Rd,cp} = V_{Rk,cp} \cdot \phi_{cp,V}$											
$N_{Rk,c}^0$ [kN]	$A_{c,N}$ [mm ²]	$A_{c,N}^0$ [mm ²]	$\psi_{A,N}$	$\psi_{s,N}$	$\psi_{re,N}$	h_{ef} [mm]	$s_{cr,N}$ [mm]	$c_{cr,N}$ [mm]	k_1	k_s	$\phi_{cp,V}$
31.167	29813	57600	0.518	1.0	1.0	80.0	240.0	120.0	7.7	2.0	0.667
$e_{V,cp,x}$ [mm]	$e_{V,cp,y}$ [mm]	$\psi_{ec,V,cp,x}$	$\psi_{ec,V,cp,y}$	$\psi_{ec,V,cp}$	$N_{Rk,c}$ [kN]	$V_{Rk,cp}$ [kN]	$V_{Rd,cp}$ [kN]	V^* [kN]	$\beta_{V,cp}$		
0.0	0.0	1.0	1.0	1.0	16.132	32.264	21.509	0.339	0.016		

Related area for calculation of pry-out failure $A_{c,N}$:

Concrete edge failure

Verification for concrete edge failure is not necessary, because there is no concrete edge.

3.3 Combined tension and shear

	Anchor	Tension(β_N)	Shear(β_V)	Condition	Utilization [%]	Status
Steel	2	0.174	0.008	$\beta_N^2 + \beta_V^2 \leq 1.0$	3.0	✓
Concrete	2	0.396	0.015	$\beta_N^{1.5} + \beta_V^{1.5} \leq 1.0$	25.1	✓

Anchor-related utilization

A-No.	$\beta_{N,s}$	$\beta_{N,p}$	$\beta_{N,c}$	$\beta_{N,ec}$	$\beta_{N,sp}$	$\beta_{V,s}$	$\beta_{V,cp}$	$\beta_{V,c}$	$\beta_{N,max,E}$	$\beta_{V,max,E}$	$\beta_{comb,LE}$	$\beta_{comb,SE}$
1	0.033	0.076	0.231	0.000	0.000	0.009	0.015	0.000	0.231	0.015	0.113	0.001
2	0.174	0.396	0.231	0.000	0.000	0.008	0.015	0.000	0.396	0.015	0.251	0.030
3	0.000	0.000	0.000	0.000	0.000	0.009	0.016	0.000	0.000	0.016	0.002	0.000
4	0.069	0.157	0.231	0.000	0.000	0.009	0.015	0.000	0.231	0.015	0.113	0.005

 $\beta_{N,max,E}$: Highest utilization of individual anchors under tension loading except steel failure

 $\beta_{V,max,E}$: Highest utilization of individual anchors under shear loading except steel failure

 $\beta_{comb,LE}$: Utilization of individual anchors under combined tension and shear loading except steel failure

 $\beta_{comb,SE}$: Utilization of individual anchors under combined tension and shear loading at steel failure

AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.
 Designer: KZ
 Address: 21/1-7 Jordan St, Gladesville
 Project: 3.5m SQ Cantilever Umbrella
 Comments:

E-mail: info@primeengineers.com.au
 Phone: 02 8964 1818
 Fax:
 Date: 1/21/2022
 Page: 5 / 7

4. Displacement
Tension loading:

$$N_k^h = N_k^h / 1.4$$

$$\delta_{N0}^0 = (N_k^h / N_0) \cdot \delta_{N0}$$

$$\delta_{N\infty}^0 = (N_k^h / N_0) \cdot \delta_{N\infty}$$

Shear loading:

$$V_k^h = V_k^h / 1.4$$

$$\delta_{V0}^0 = (V_k^h / V_0) \cdot \delta_{V0}$$

$$\delta_{V\infty}^0 = (V_k^h / V_0) \cdot \delta_{V\infty}$$

N_k^h [kN]	N_0 [kN]	δ_{N0} [mm]	$\delta_{N\infty}$ [mm]	δ_{N0}^0 [mm]	$\delta_{N\infty}^0$ [mm]	V_k^h [kN]	V_0 [kN]	δ_{V0} [mm]	$\delta_{V\infty}$ [mm]	δ_{V0}^0 [mm]	$\delta_{V\infty}^0$ [mm]
5.328	7.6	0.5	1.3	0.250	0.651	0.339	27.5	3.6	5.4	0.032	0.048

5. Remarks

- Capacity verifications of Section 3 are in accordance with AS 5216. For more complex cases which are outside of AS 5216, the same principles of AS 5216 are still used.
- For connections with a flexurally rigid base plate, it is assumed that the base plate is sufficiently rigid. However, the current anchor design methods (ETAG, Eurocode, AS 5216, ACI 318, CSA A23.3) do not provide any usable guidance to check for rigidity. In the realistically elastic (flexible) base plate, the tension load distribution between anchors may be different to that in the assumed rigid base plate. The plate prying effects could further increase anchor tension loading. To verify the sufficient base plate bending rigidity, the stiffness condition according to the publication "Required Thickness of Flexurally Rigid Base plate for Anchor Fastenings" (fib Symposium 2017 Maastricht) is used in this software.
- For connections with an elastic base plate, the anchor tension forces are calculated with the finite element method with consideration of deformations of base plate, anchors and concrete. Background for design with elastic base plates is described in the paper "Design of Anchor Fastenings with Elastic Base Plates Subjected to Tension and Bending". This paper was published in "Stahlbau 88 (2019), Heft 8" and "5. Jahrestagung des Deutschen Ausschusses für Stahlbeton - DAfStb 2017". Anchor shear forces are calculated with the assumption of a rigid base plate. Attention should be paid to a narrow base plate with a width to length ratio of less than 1/3.
- Verification for the ultimate limit state and the calculated displacement under service working load are valid only if the anchors are installed properly according to ETA.
- For design in cracked concrete, anchor design standards/codes assume that the crack width is limited to $\leq 0.3\text{mm}$ by reinforcement. Splitting failure in cracked concrete is prevented by this reinforcing. The user needs to verify that this reinforcing is present in cracked concrete. Generally, concrete structures design standards/codes (e.g. AS 3600) meet this crack width requirement for most structures. Particular caution must be taken at close edge distances where the location of reinforcing is not clearly known.
- Verification of strength of concrete elements to loads applied by fasteners is to be done in accordance with AS 5216.
- All information in this report is for use of Allfasteners products only. It is the responsibility of the user to ensure that the latest version of the software is used, and in accordance with AFOS licensing agreement. This software serves only as an aid to interpret the standards and approvals without any guarantee to the absence of errors. The results of the software should be checked by a suitably qualified person for correctness and relevance of the results for the application.

The load-bearing capacity of the anchorage is: **verified !**

AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.

Designer: KZ

Address: 21/1-7 Jordan St, Gladesville

Project: 3.5m SQ Cantilever Umbrella

Comments:

E-mail: info@primeengineers.com.au

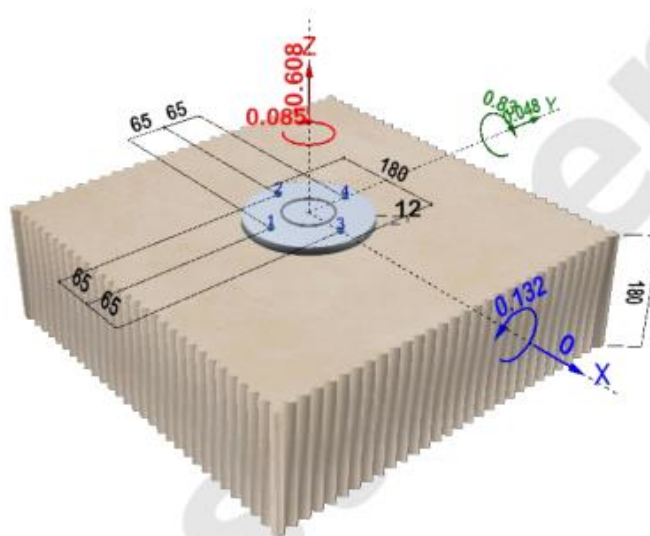
Phone: 02 8964 1818

Fax:

Date: 1/21/2022

Page: 6 / 7

Anchorage figure in 3D:



AFOS 2.0.3 (12012022) - Extended report

Company: Prime Consulting Engineers Pty. Ltd.
 Designer: KZ
 Address: 21/1-7 Jordan St, Gladesville
 Project: 3.5m SQ Cantilever Umbrella
 Comments:

E-mail: info@primeengineers.com.au
 Phone: 02 8964 1818
 Fax:
 Date: 1/21/2022
 Page: 7 / 7

Anchor: HLA-Z1 M10

Drilled hole: $d_0 \times h_0 = 15 \times 104 \text{ mm}$
 Embedment depth: $h_{nom} = -$
 Effective anchorage depth: $h_{ef} = 80 \text{ mm}$
 Installation torque: $T_{inst} = 50 \text{ Nm}$



Base plate: G250

Thickness: $t = 12 \text{ mm}$
 Clearance hole: $d_f = 17 \text{ mm}$

